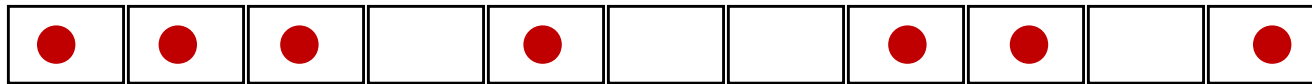


# *Practical single photon sources*

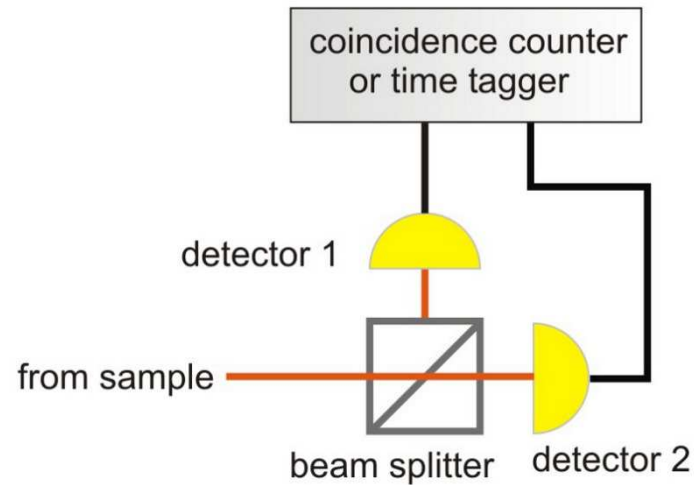
- “Perfect” single photons



- Occasional multi-photon states



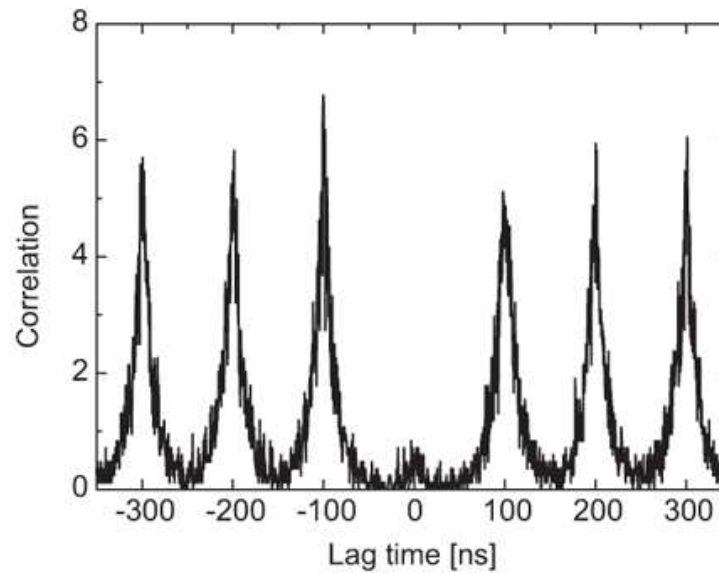
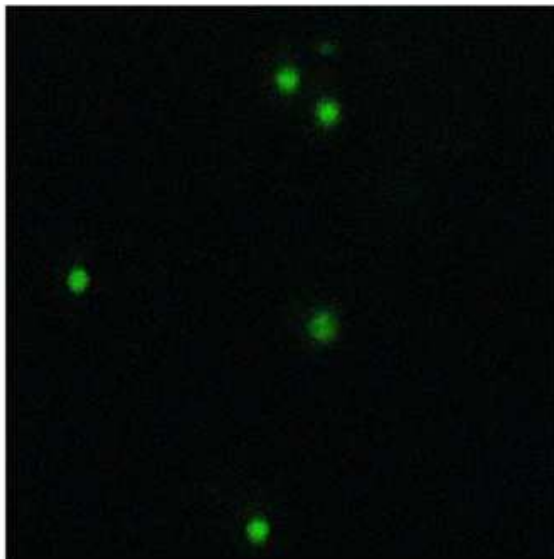
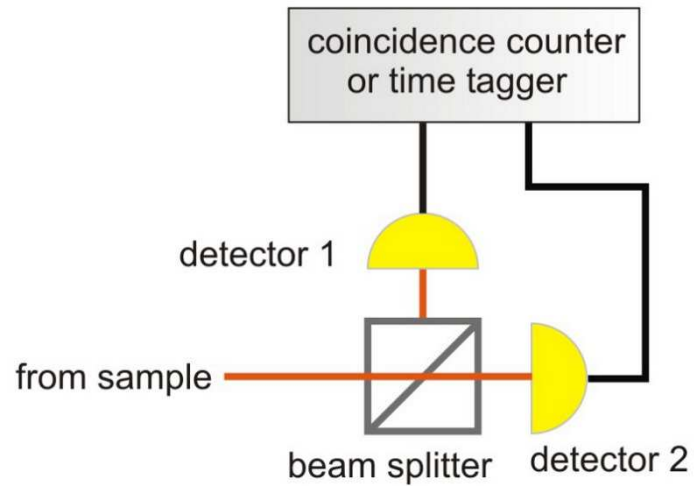
# Single photon detection



Single photon state = only one detector will click

The absence of coincidences in clicks of the two detectors is the signature of a single-photon state

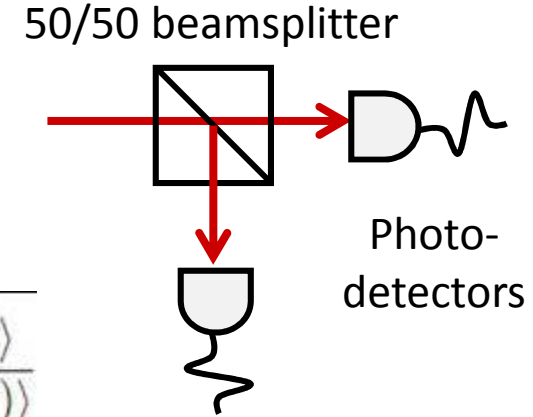
# Single photon detection



# Correlation functions

- Second-order intensity correlation ( $g^{(2)}$ ) characterizes photon number fluctuations

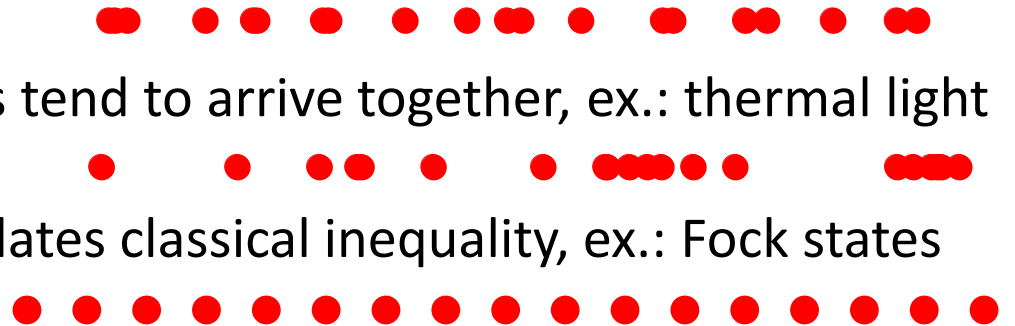
$$g^{(2)}(\tau) = \frac{\langle \mathcal{E}^*(t)\mathcal{E}^*(t+\tau)\mathcal{E}(t+\tau)\mathcal{E}(t) \rangle}{\langle \mathcal{E}^*(t)\mathcal{E}(t) \rangle \langle \mathcal{E}^*(t+\tau)\mathcal{E}(t+\tau) \rangle} = \frac{\langle I(t)I(t+\tau) \rangle}{\langle I(t) \rangle \langle I(t+\tau) \rangle}$$



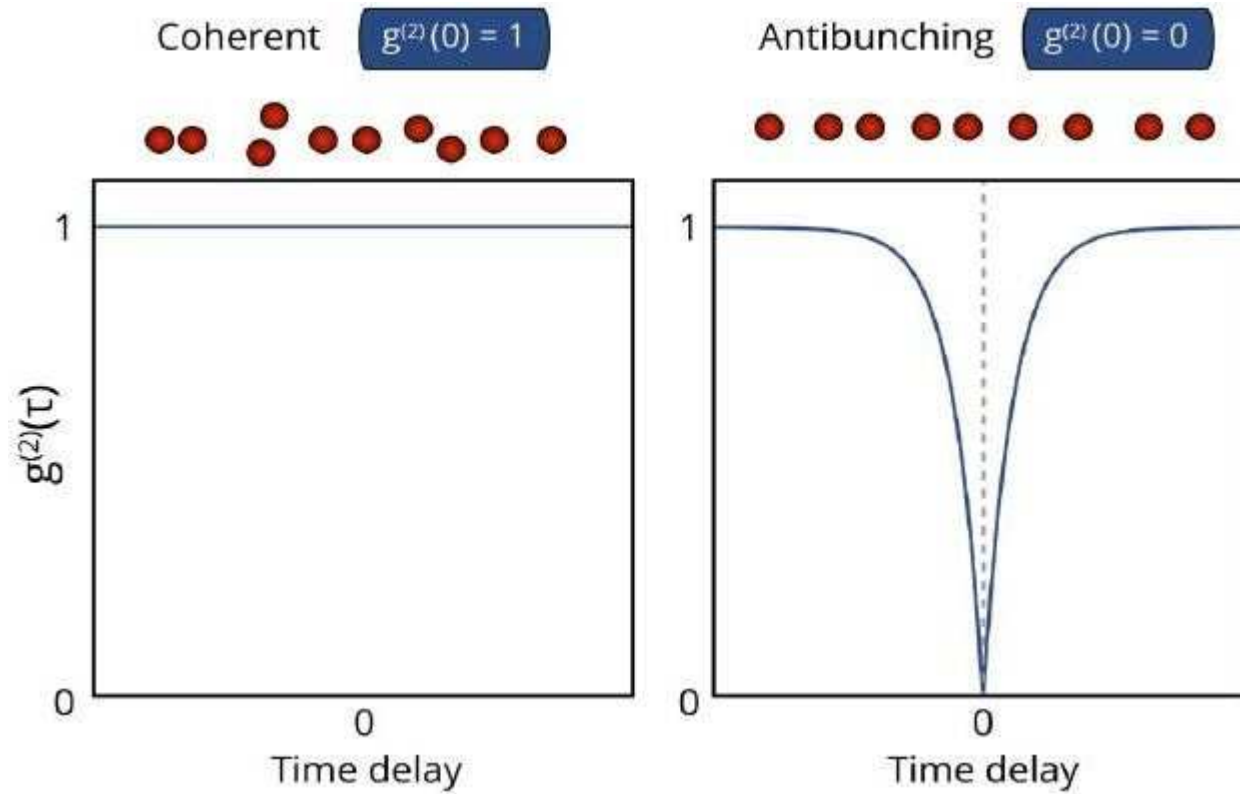
- For photon number- resolved measurements

$$g^{(2)}[0] = \frac{\langle \hat{n}(\hat{n} - 1) \rangle}{\langle \hat{n} \rangle^2},$$

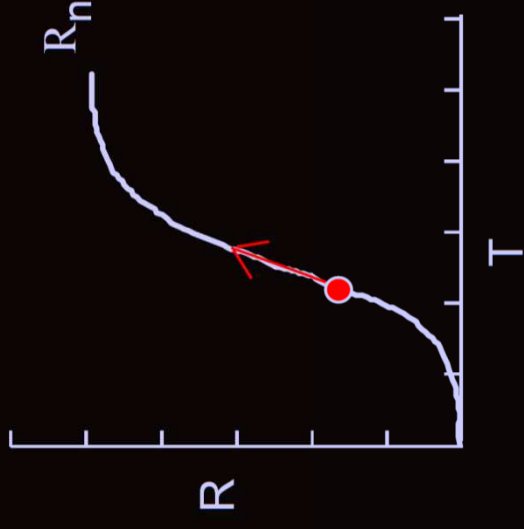
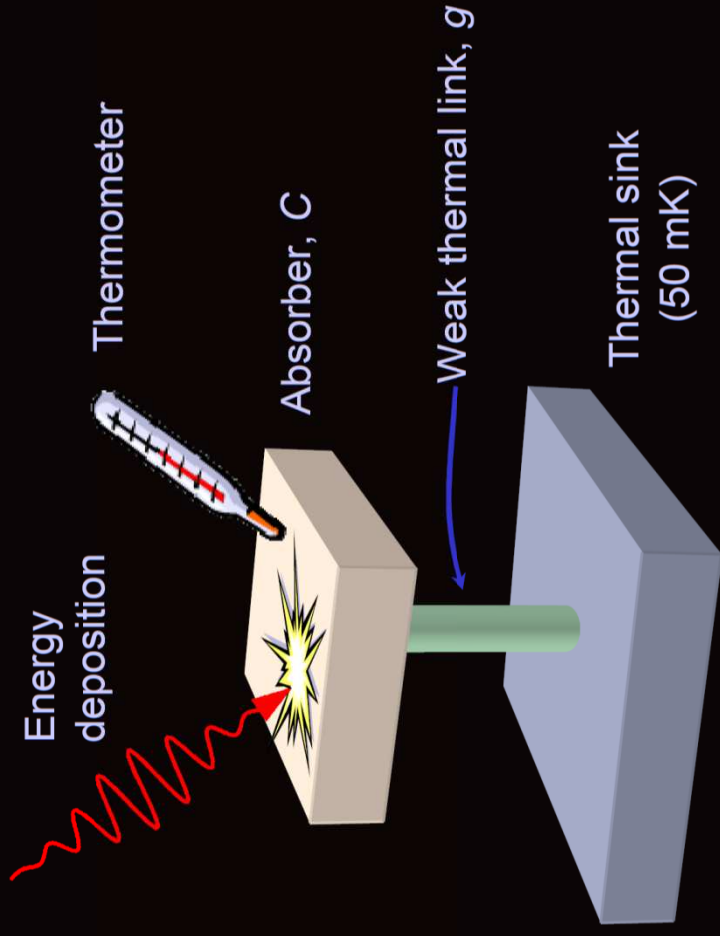
- $g^{(2)}(0)$  describes the bunching of a field
  - $g^{(2)}(0)=1$  – **random**, no correlation, ex.: poissonian (laser) light
  - $g^{(2)}(0)>1$  – **bunching**, photons tend to arrive together, ex.: thermal light
  - $g^{(2)}(0)<1$  – **anti-bunching**, violates classical inequality, ex.: Fock states



# Single photon detection

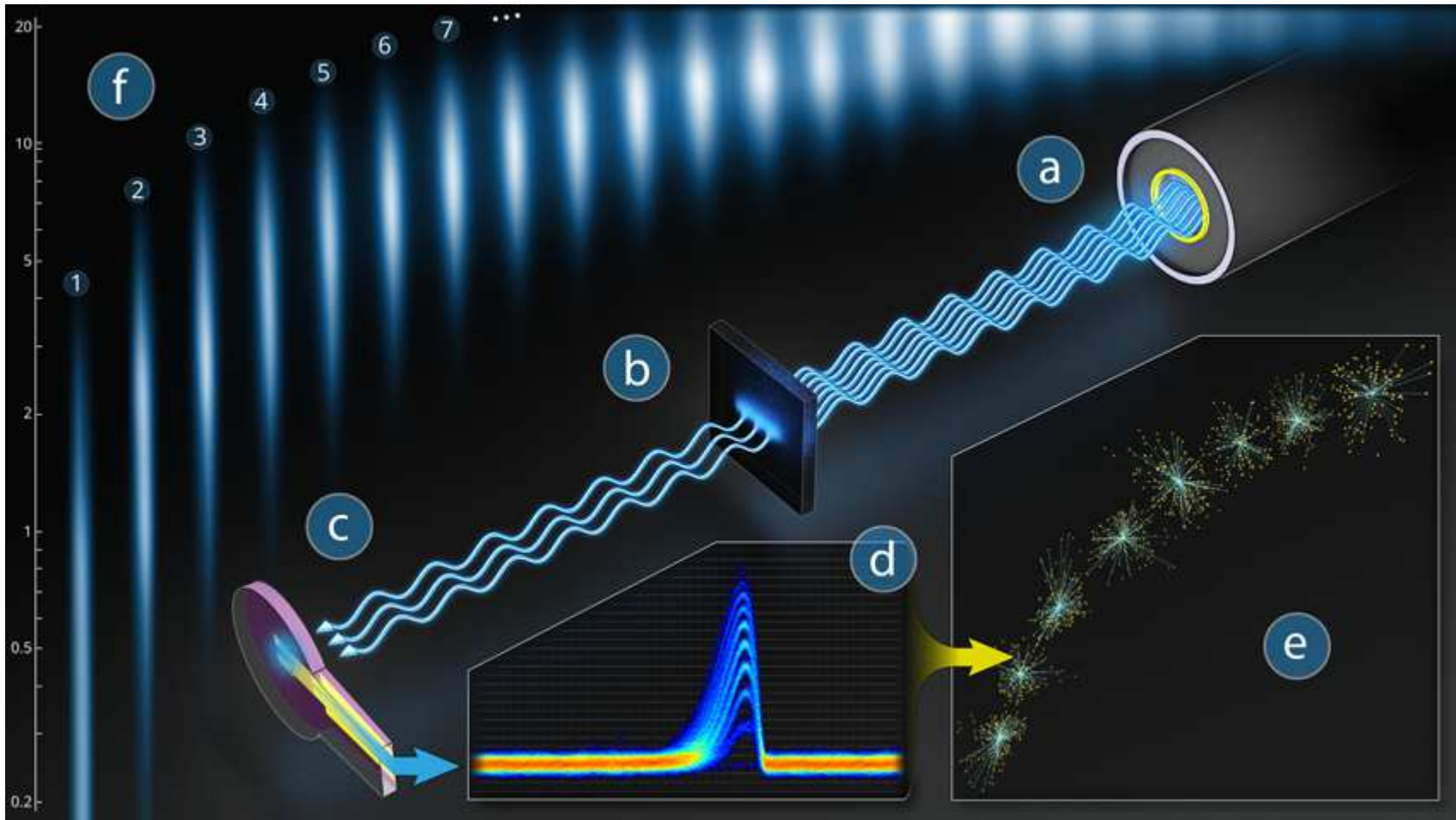


# Transition Edge Sensor (TES)



- Calorimetric detection of UV/optical/IR photons:
- Temperatures are  $\sim 100$  mK to ensure low noise and high sensitivity.
- Absorber and thermometer are the same (superconducting W thin film)
- Microfabrication techniques

# Transition edge sensor (TES)



Light from a pulsed laser (a) is directed through a variable attenuator (b) onto a transition edge sensor device (c). The resulting signal (d) is analyzed with a statistical clustering algorithm (e) which returns a nominal photon number (f).

# Transition edge sensor (TES)

