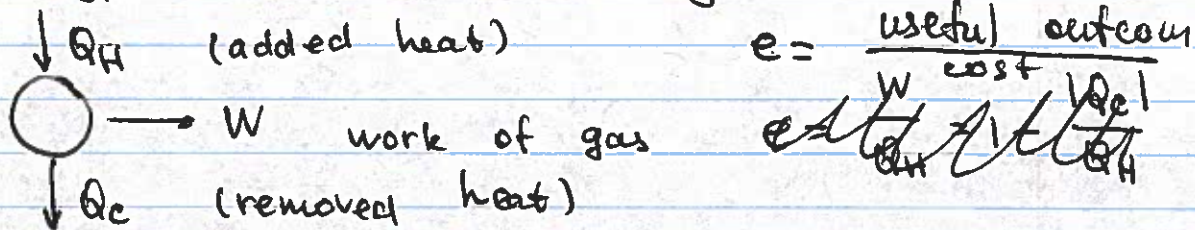


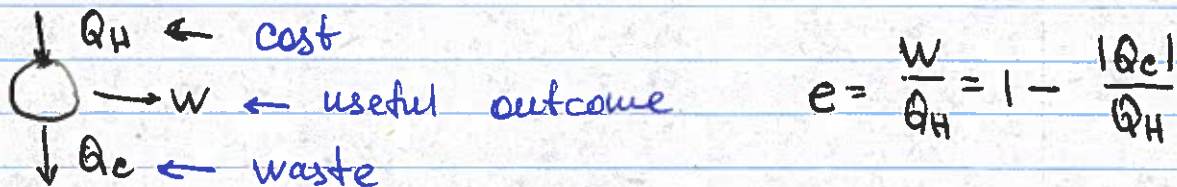
More uses of a thermal engine

A typical thermodynamic cycle



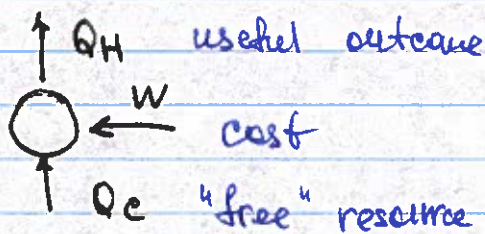
One can use this cycle for different purpose, and what is cost and what is a useful output depends on what we want.

Heat engine: useful output - mechanical work



If we run this backward, it is either a heater or a refrigerator

heater

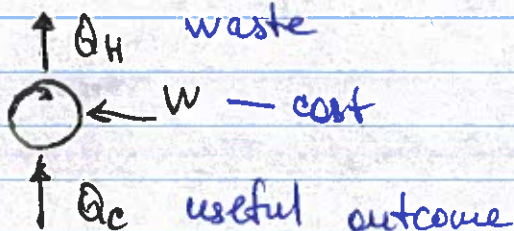


Coefficient of Performance

$$\text{COP} = \frac{|Q_H|}{W} = \frac{|Q_H|}{|Q_H| - Q_C} > 1$$

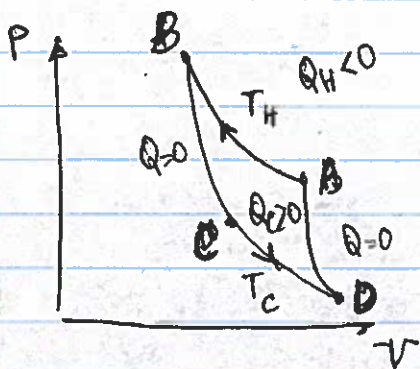
First law of thermodynamics
 ~~$Q_H - W = Q_C$~~
 $-W = Q_C - |Q_H|$

refrigerator



$$\text{COP} = \frac{Q_C}{W} = \frac{Q_C}{|Q_H| - Q_C}$$

What if we use a Carno cycle as a heat pump?



AB: gas does negative work
(a positive work done on the gas)
heat flows out

$$Q_H = nRT_H \ln \frac{V_B}{V_A} < 0 \quad |Q_H| = nRT_H \ln \frac{V_A}{V_B}$$

BC: adiabatic, temperature drops, $Q = 0$

CD: gas expands and does positive work, heat is extracted from the cold reservoir

$$Q_C = nRT_C \ln \frac{V_D}{V_C} \quad \left(\frac{V_A}{V_B} = \frac{V_D}{V_C} \right)$$

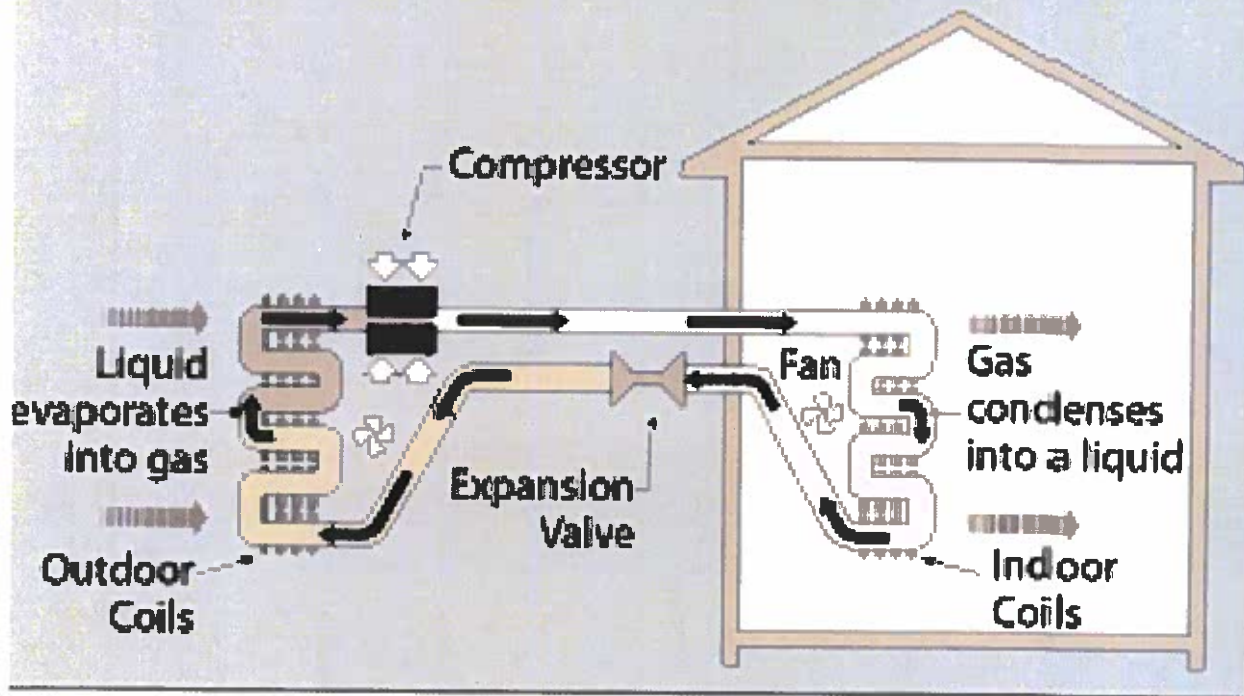
$$\text{COP} = \frac{|Q_H|}{|Q_H| - Q_C} = \frac{T_H}{T_H - T_C} > 1$$

Interesting to note COP drops if T_C gets lower
(that's why heat pumps are less efficient when it is ~~and~~ too cold outside)

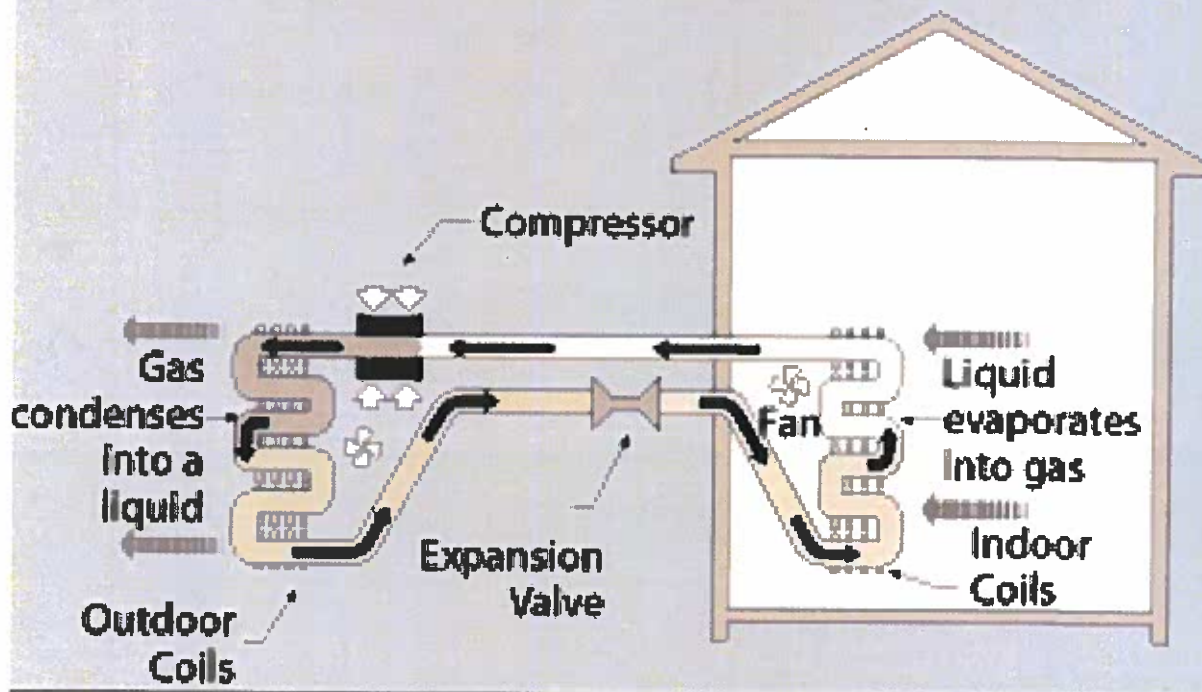
If we do the same for a fridge

$$\text{COP} = \frac{T_C}{T_H - T_C}$$

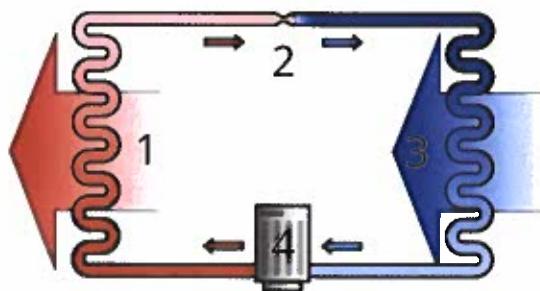
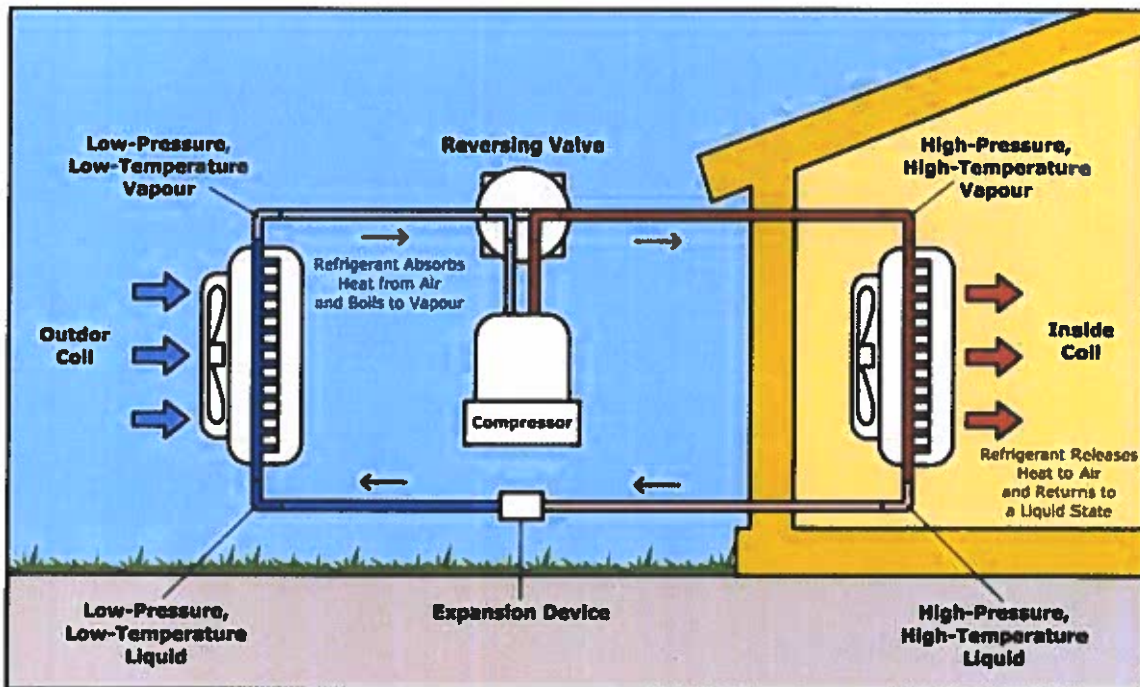
A split-system heat pump heating cycle



A split-system heat pump cooling cycle



Air Source Heat Pumps Heating Cycle



- 1 to 2 = Compression of vapor
- 2 to 3 = Vapor superheat removed in condenser
- 3 to 4 = Vapor converted to liquid in condenser
- 4 to 5 = Liquid flashes into liquid + vapor across expansion valve
- 5 to 1 = Liquid + vapor converted to all vapor in evaporator

