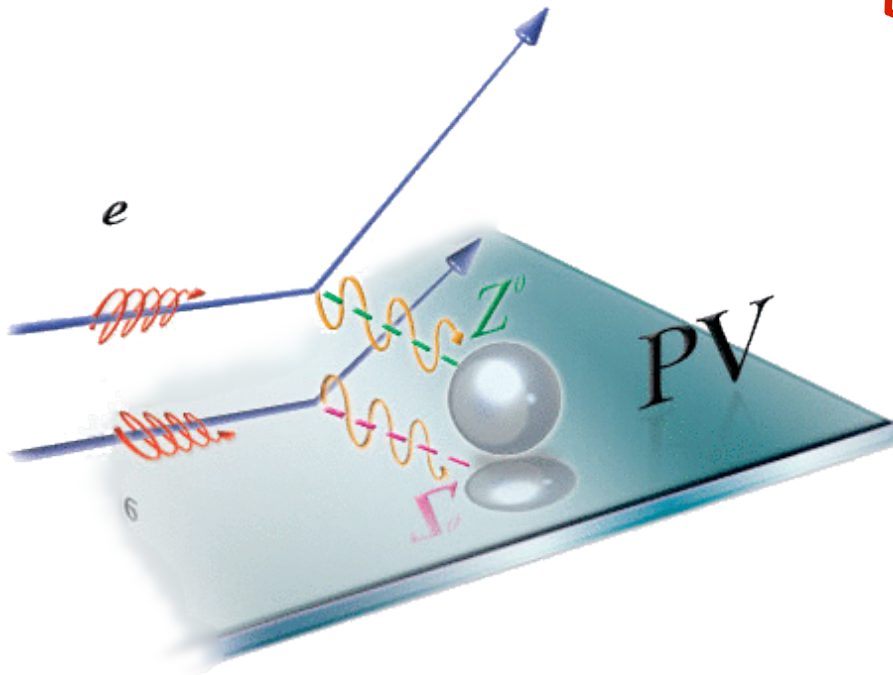


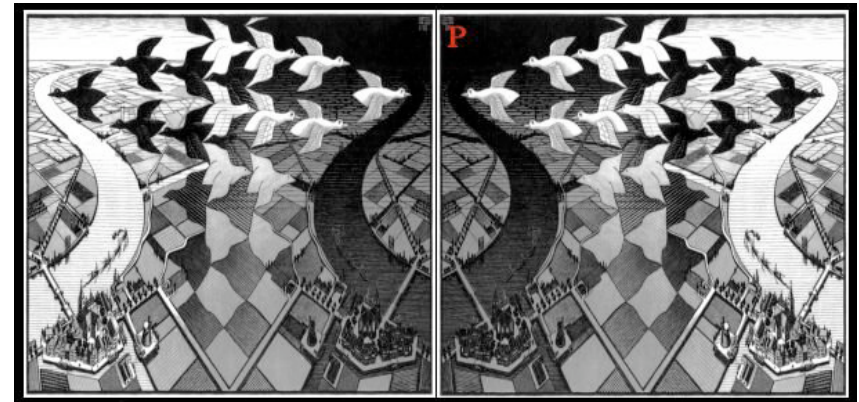
Strangeness in the Nucleon

David S. Armstrong
College of William & Mary

GO and HAPPEX Collaborations



*CAP 2012 Congress
Calgary, Alberta
June 15 2012*



The College of _____
WILLIAM & MARY

Jefferson Lab

Outline

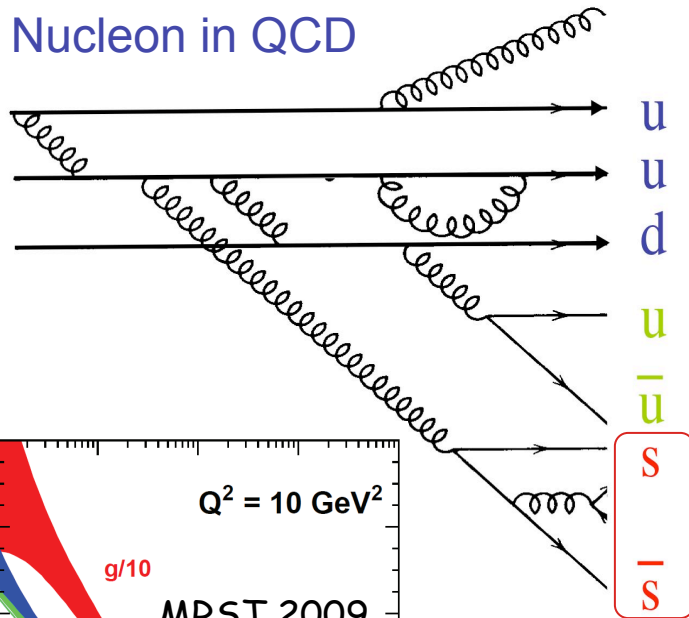
- Parity violation in electron scattering
- Vector Strange Form Factors: G_E^s and G_M^s
- World Experimental Effort
- Recent Results:
 - HAPPEX-III (forward angle):
 - Separated form factors at $Q^2 = 0.23, 0.63 \text{ (GeV/c)}^2$
- Implications for Standard Model Tests
- Conclusions

"There is no excellent beauty that hath not some strangeness in the proportion"

Francis Bacon 1561-1626

Strangeness in the nucleon

Nucleon in QCD



- $P = uud + \underbrace{u\bar{u} + d\bar{d} + s\bar{s} + g}_{\ll \text{sea} \gg} + \dots$

- s quark: clean candidate to study the sea

- How much do virtual $s\bar{s}$ pairs contribute to the structure of the nucleon ?

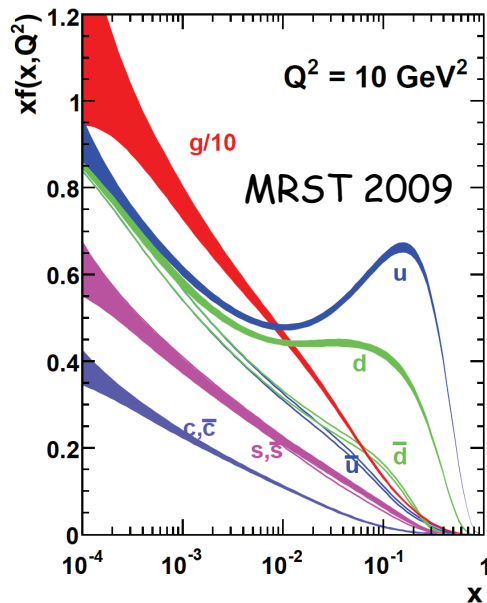
Momentum : 4% (DIS)

Spin : 0 to -10% (polarized DIS)

Mass : 0 to 30% (πN - σ term)

(the latter two are far from settled)

also: OZI violations in $p\bar{p} \rightarrow \frac{\phi\gamma}{\omega\gamma}$



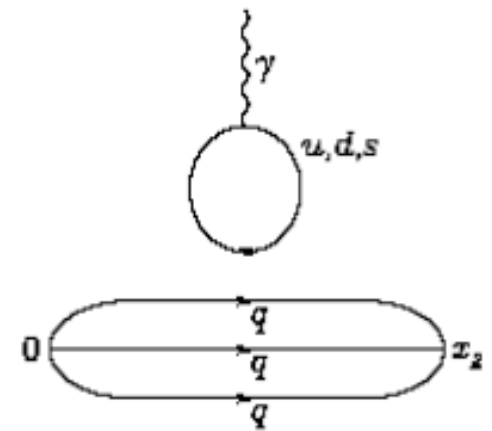
Goal: Determine the contributions of the strange quark sea ($s\bar{s}$) to the charge and magnetization distributions in the nucleon :

Vector “strange form factors”: G_E^s and G_M^s

The “Lamb Shift” of QCD

Strangeness contribution is a (QCD) vacuum polarization effect*

Hydrogen Atom, Electron (g-2)-factor, QED

$$g_e = 2 \left(1 + \frac{\alpha}{2\pi} - 0.328 \frac{\alpha^2}{\pi^2} + \dots \right)$$


*Analogy borrowed from A.W. Thomas

Genesis of a Strange Idea

Puzzle: Initial DIS measurements of spin-structure of nucleon (EMC):
valence quarks contribute unexpectedly low fraction to total spin - "Spin Crisis"

Possible reconciliation: large fraction of spin from $s\bar{s}$?
eg. D. B. Kaplan and A. Manohar, Nucl. Phys. B310, 527 (1988).

Theoretical realization: not only did available nucleon model calculations allow this,
but they also allowed (and in some cases *avored*) large strange quark contributions
to *other* properties of nucleon

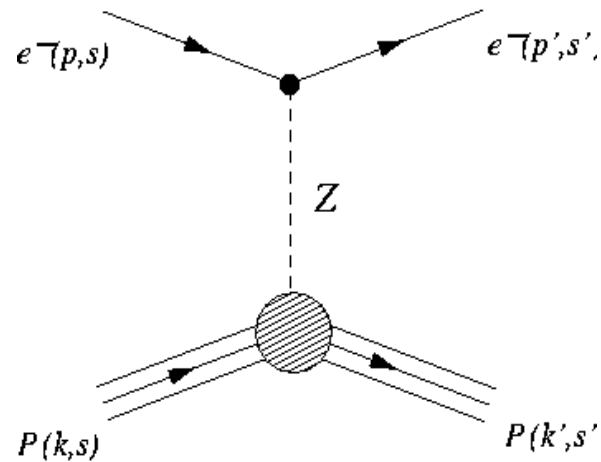
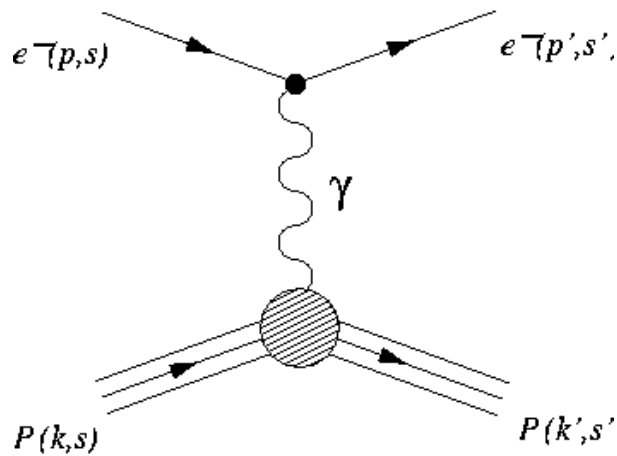
Consternation and excitement: at the time, data gave no constraint on strange
contributions to charge distribution and magnetic moment!

Challenge: how to isolate strange vector form factors?

Answer: exploit the weak neutral current as a probe

Parity-Violating Electron Scattering

→ Weak NC Amplitudes



scatter electrons of opposite helicities from unpolarized target

Interference: $\sigma \sim |M^{EM}|^2 + |M^{NC}|^2 + 2\text{Re}(M^{EM*})M^{NC}$

Interference with EM amplitude makes Neutral Current (NC) amplitude accessible →

$$A_{PV} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} \sim \frac{|M_{PV}^{NC}|}{|M^{EM}|} \sim \frac{Q^2}{(M_Z)^2}$$

Small ($\sim 10^{-6}$) cross section asymmetry isolates weak interaction

Nucleon Form Factors

Adopt Sachs FF: $G_E^\gamma = F_1^\gamma + \tau F_2^\gamma$ $G_M^\gamma = F_1^\gamma + F_2^\gamma$

Roughly: Fourier transforms of charge and magnetization

NC and EM probe **same** hadronic flavor structure, with different couplings:

$$G_{E/M}^\gamma = \frac{2}{3} G_{E/M}^u - \frac{1}{3} G_{E/M}^d - \frac{1}{3} G_{E/M}^s$$

$$G_{E/M}^Z = \left(1 - \frac{8}{3} \sin^2 \theta_W\right) G_{E/M}^u - \left(1 - \frac{4}{3} \sin^2 \theta_W\right) G_{E/M}^d - \left(1 - \frac{4}{3} \sin^2 \theta_W\right) G_{E/M}^s$$

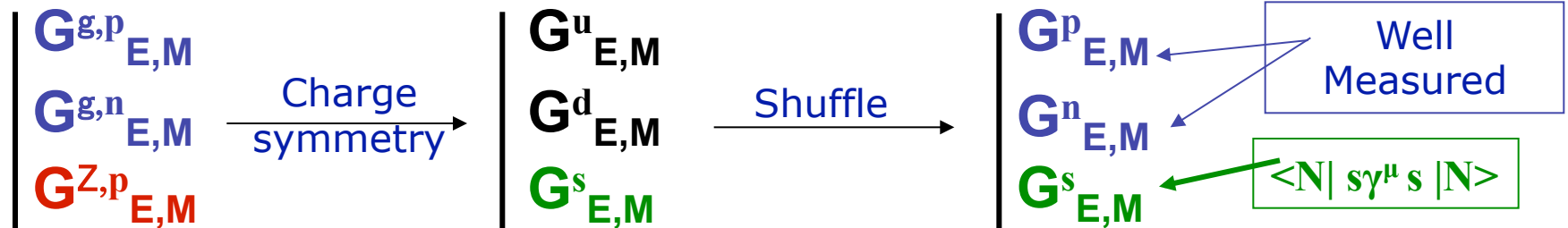
$G_{E/M}^Z$ provide an important benchmark for testing non-perturbative QCD structure of the nucleon

Charge Symmetry

One expects the neutron is \approx an isospin rotation of the proton:

$$G_{E/M}^{p,u} = G_{E/M}^{n,d}, \quad G_{E/M}^{p,d} = G_{E/M}^{n,u}, \quad G_{E/M}^{p,s} = G_{E/M}^{n,s}$$

$$G_{E/M}^{\gamma,p} = \frac{2}{3} G_{E/M}^u - \frac{1}{3} G_{E/M}^d - \frac{1}{3} G_{E/M}^s \quad \rightarrow \quad G_{E/M}^{\gamma,n} = \frac{2}{3} G_{E/M}^d - \frac{1}{3} G_{E/M}^u - \frac{1}{3} G_{E/M}^s$$



$$A_{PV} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} \propto \frac{M_Z M_\gamma}{|M_\gamma|^2} = -\frac{G_F Q^2}{\sqrt{2} \pi \alpha} F(G_{E/M}^p, G_{E/M}^n, G_{E/M}^s, G_A)$$

Isolating individual form factors: vary *kinematics* or *target*

For a proton:

$$A = \left[\frac{-G_F Q^2}{4\pi\alpha\sqrt{2}} \right] \frac{A_E + A_M + A_A}{\sigma_p} \quad \sim \text{few parts per million}$$

$$A_E = \epsilon G_E^p G_E^Z, \quad A_M = \tau G_M^p G_M^Z, \quad A_A = -(1 - 4\sin^2 \theta_W) \epsilon' G_M^p G_A^e$$

Forward angle
Backward angle

For ${}^4\text{He}$: G_E^s alone

$$A_{PV} = \frac{G_F Q^2}{\pi\alpha\sqrt{2}} \left[\sin^2 \theta_W + \frac{G_E^s}{2(G_E^p + G_E^n)} \right]$$

For deuteron:

enhanced G_A^e sensitivity

$$A_d = \frac{\sigma_p A_p + \sigma_n A_n}{\sigma_d}$$

Theoretical Approaches to Strange Form Factors

Models - a non-exhaustive list:

kaon loops, vector meson dominance, Skyrme model, chiral quark model, dispersion relations, NJL model, quark-meson coupling model, chiral bag model, HBChPT, chiral hyperbag, QCD equalities, ...

- no consensus on magnitudes or even *signs* of G_E^s and G_M^s !

Only model-independent statement: $G_E^s(Q^2=0)=0$

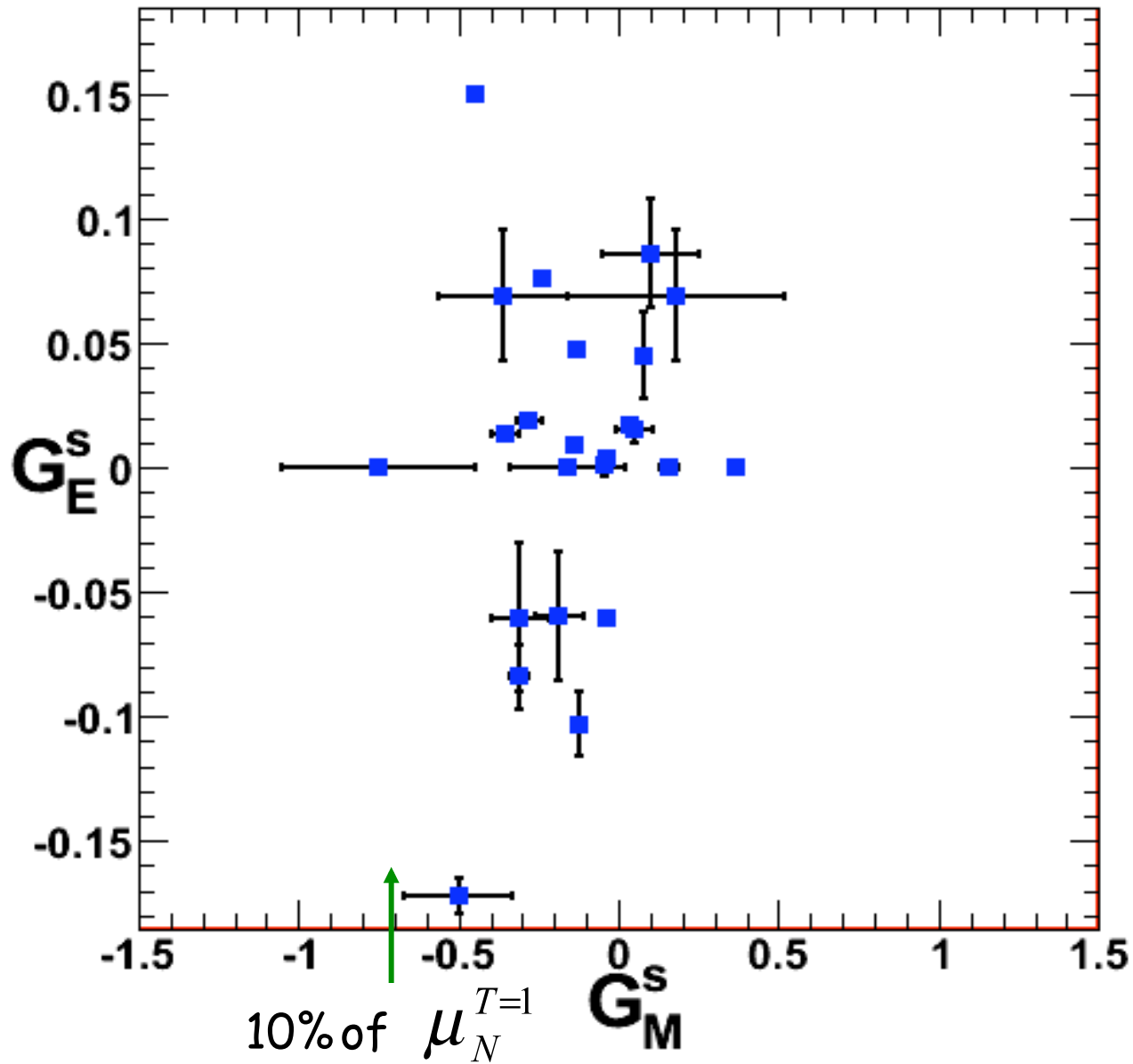
a challenging problem in non-perturbative QCD

QCD on the lattice?

- Dong, Liu, Williams PRD **58**(1998)074504
- Lewis, Wilcox, Woloshyn PRD **67**(2003)013003
- Leinweber, *et al.* PRL **94**(2005) 212001; PRL **97** (2006) 022001
- Doi, *et al.* PRD **80** (2009) 094503

Disconnected insertions - technically challenging

Strangeness Models



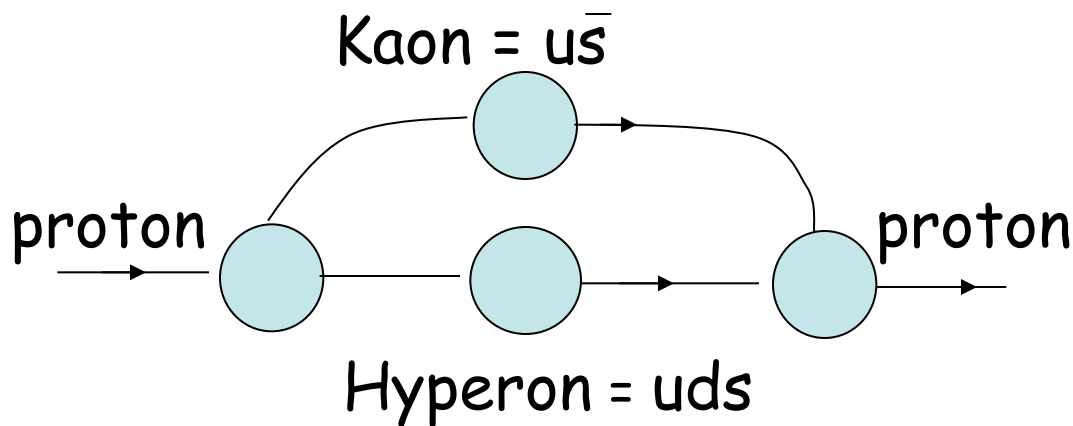
(as/of circa 2005)

note: caveats...

What would non-zero strange form factors imply?

$G_E^s \neq 0 \implies s$ and \bar{s} have different spatial distributions in proton

$G_M^s \neq 0 \implies s$ and \bar{s} have different magnetization distributions in proton
-> contribute to magnetic moment, etc.



(naive model for illustration)

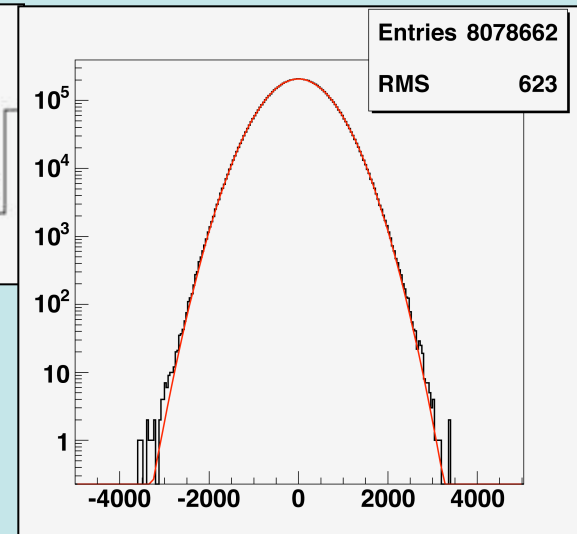
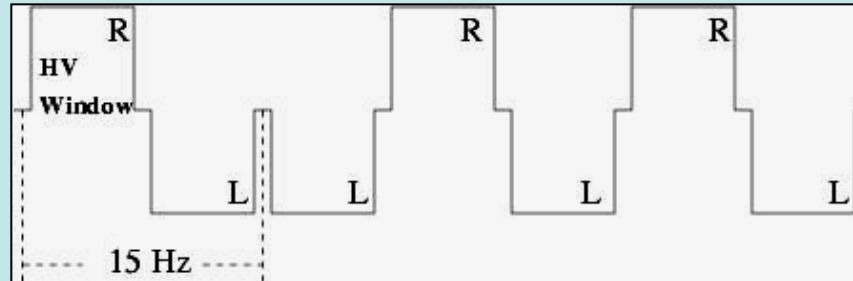
Measurement of P-V Asymmetries

$$A_{LR} = \frac{\sigma_R - \sigma_L}{\sigma_R + \sigma_L} \approx 10^{-6} \quad \text{e.g. 5\% Statistical Precision on 1 ppm}$$

-> requires 4×10^{14} counts

Rapid Helicity Flip: Measure the asymmetry at 10^{-4} level, 10 million times

$$A_{LR} = \frac{N_R - N_L}{N_R + N_L}$$



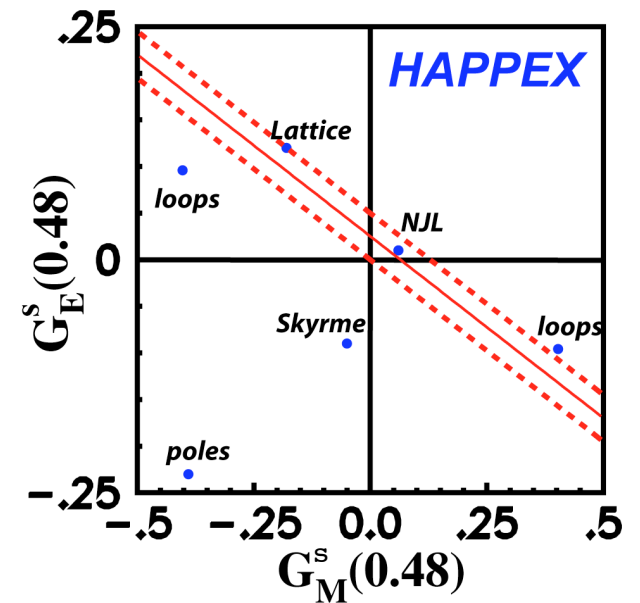
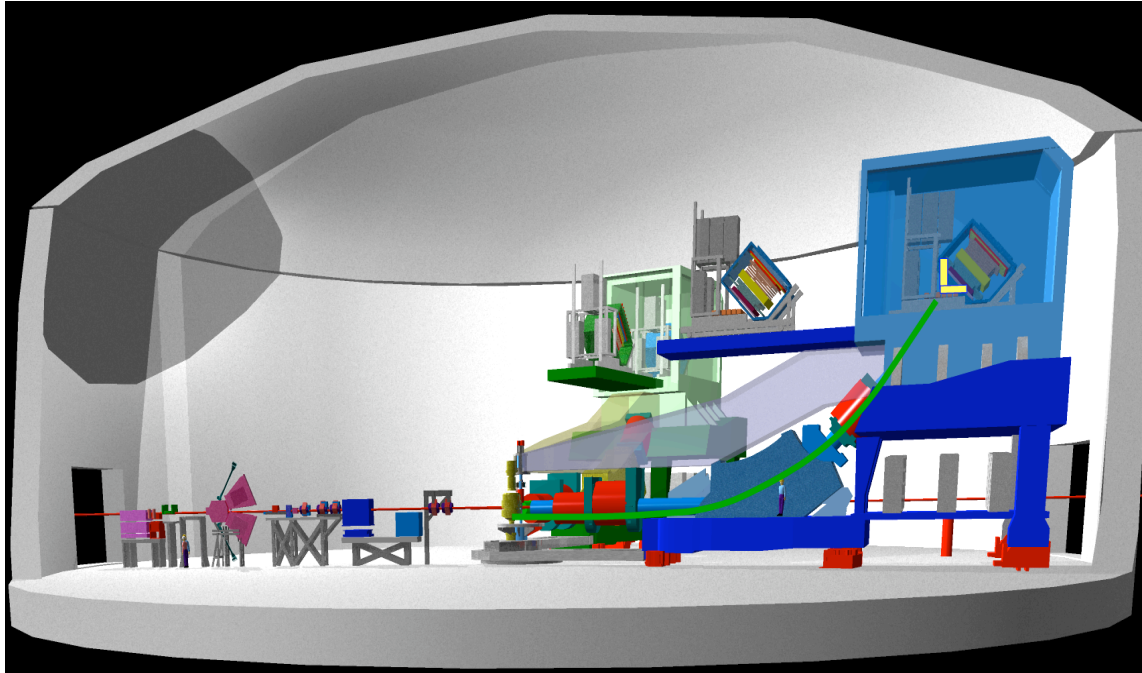
- High luminosity: thick targets, high beam current
- Control noise (target, electronics)
- High beam polarization and rapid flip

Parity-Violating Electron Scattering Program

Expt/Lab	Target/Angle	Q^2 (GeV ²)	A_{pv} (ppm)	Sensitivity	Complete
SAMPLE/Bates					
SAMPLE I	LH ₂ /145	0.1	-6	$G_M + 0.4G_A$	2000
SAMPLE II	LD ₂ /145	0.1	-8	$G_M + 2G_A$	2004
SAMPLE III	LD ₂ /145	0.04	-4	$G_M + 3G_A$	2004
HAPPEX/JLab					
HAPPEX	LH ₂ /12.5	0.47	-15	$G_E + 0.39G_M$	1999
HAPPEX II	LH ₂ /6	0.11	-1.6	$G_E + 0.1G_M$	2006, 2007
HAPPEX He	⁴ He/6	0.11	+6	G_E	2006, 2007
HAPPEX III	LH ₂ /14	0.63	-24	$G_E + 0.5G_M$	2011
PV-A4/Mainz					
	LH ₂ /35	0.23	-5	$G_E + 0.2G_M$	2004
	LH ₂ /35	0.11	-1.4	$G_E + 0.1G_M$	2005
	LH ₂ /145	0.23	-17	$G_E + \eta G_M + \eta' G_A$	2009
	LH ₂ /35	0.63	-28	$G_E + 0.64G_M$	(2009)
G0/JLab					
Forward	LH ₂ /35	0.1 to 1	-1 to -40	$G_E + \eta G_M$	2005
Backward	LH ₂ /LD ₂ /110	0.23, 0.63	-12 to -45	$G_E + \eta G_M + \eta' G_A$	2009

HAPPEX-I JLab (Hall A)

Hydrogen Target: $E = 3.3 \text{ GeV}$ $\theta = 12.5^\circ$ $Q^2 = 0.48 \text{ (GeV/c)}^2$



$$A^{PV} = -14.92 \text{ ppm} \pm 0.98 \text{ (stat) ppm} \pm 0.56 \text{ (syst) ppm}$$

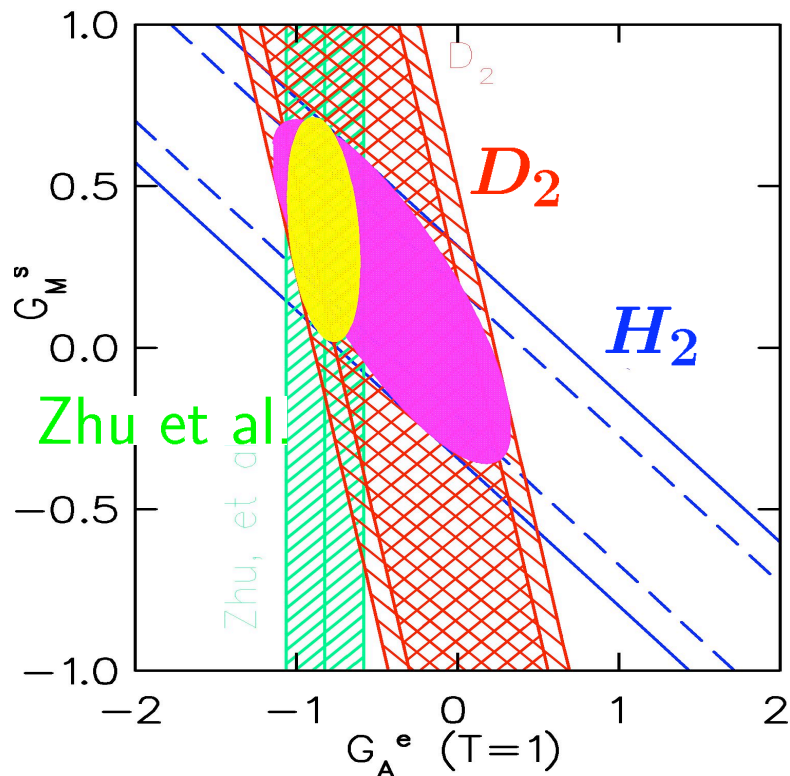
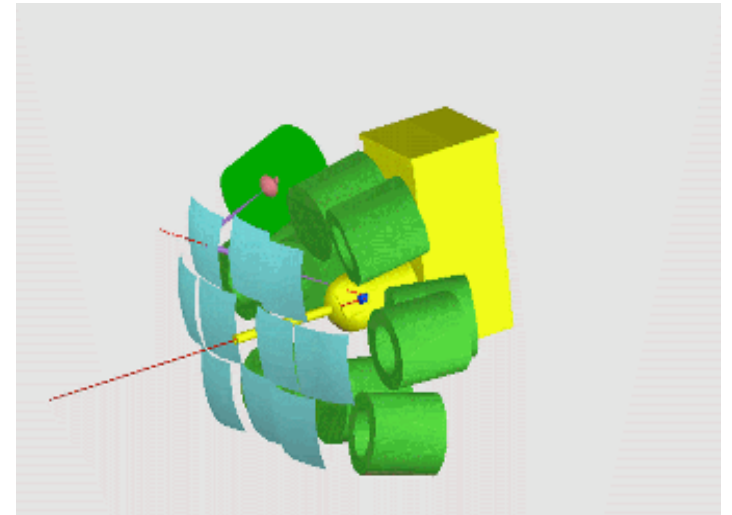
$$G_E^s + 0.39 G_M^s = 0.014 \pm 0.020 \text{ (exp)} \pm 0.010 \text{ (FF)}$$

Phys. Rev. Lett. 82, 1096 (1999);
Phys. Lett. B 509, 211 (2001);
Phys. Rev. C 69, 065501 (2004)

SAMPLE (MIT/Bates)

Backward angle ($\theta=150^\circ$), integrating

$Q^2(\text{GeV}^2)$	A_{PV} (ppm)	$A_0 + \alpha G_M^s + \beta G_A^e(T=1)$
0.1, LH_2	$-5.61 \pm 0.67 \pm 0.88$	$-5.56 + 3.37 G_M^s + 1.54 G_A^e$
0.1, LD_2	$-7.06 \pm 0.73 \pm 0.72$	$-7.06 + 0.72 G_M^s + 1.66 G_A^e$
0.03, LD_2	$-3.51 \pm 0.57 \pm 0.58$	$-2.14 + 0.27 G_M^s + 0.76 G_A^e$



$$G_M^s = 0.23 \pm 0.36 \pm 0.40$$

$$G_A^e(T=1) = -0.53 \pm 0.57 \pm 0.50$$

E.J. Beise *et al.*, Prog Nuc Part Phys 54 (2005)

If theory [Zhu *et al.* Phys. Rev. D 62, 033008 (2000)]
for $G_A^e(T=1)$ used to constrain G_M^s :

$$G_M^s = 0.37 \pm 0.20_{Stat} \pm 0.36_{Syst} \pm 0.07_{FF}$$

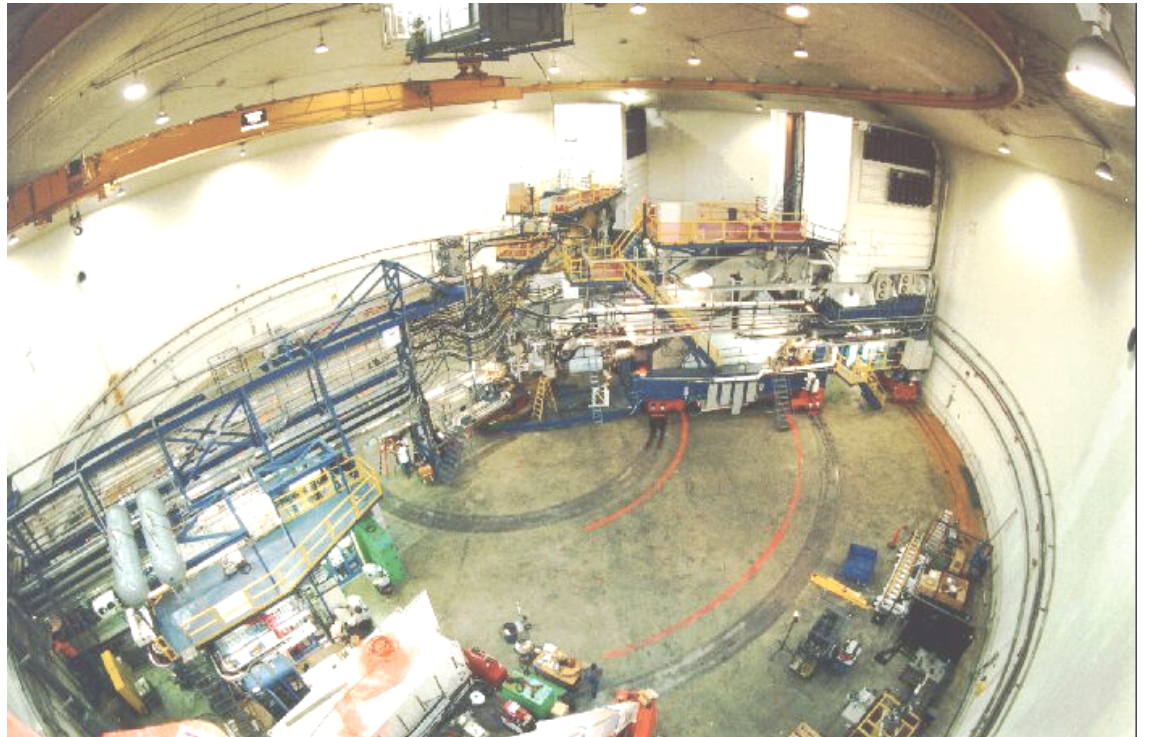
HAPPEX-II

$$E=3 \text{ GeV} \quad \theta=6^\circ \quad Q^2=0.1 \text{ (GeV/c)}^2$$

•Hydrogen : $G_E^s + \eta G_M^s$

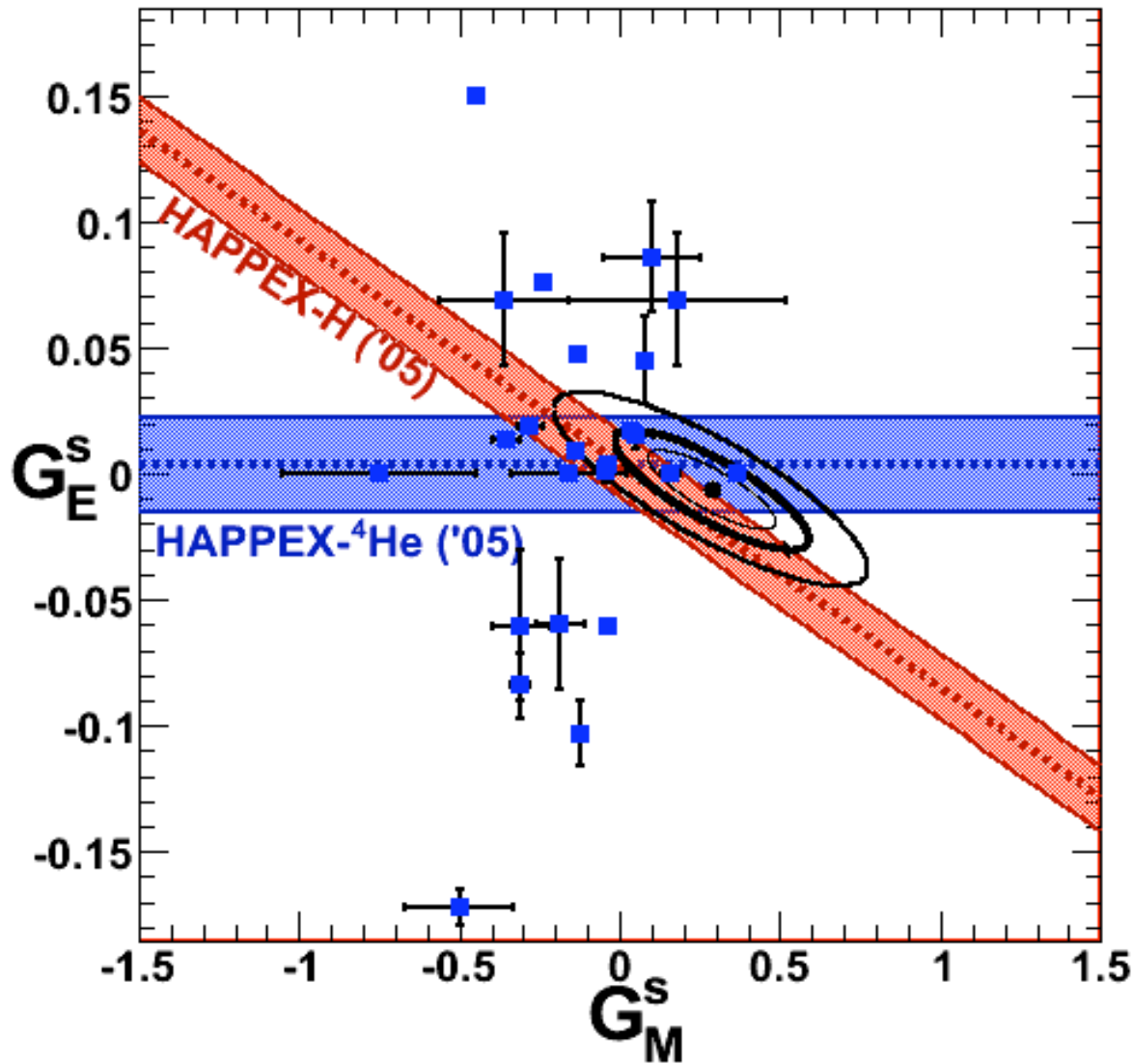
• ^4He : Pure G_E^s : $A^{PV} = -\frac{A_0}{2} \left(2 \sin^2 \theta_W + \frac{G_E^s}{G_E^{p\gamma} + G_E^{n\gamma}} \right)$

2 runs: 2004 & 2005



A. Acha, et al. PRL 98(2007)032301

HAPPEX data at $Q^2 \sim 0.1 \text{ GeV}^2$



Including all data
at $Q^2 \approx 0.1$

$$G_M^s = 0.28 \pm 0.20$$



21% of $\mu_N^{T=0}$

$$\langle r^2 \rangle_E^p = 0.766 \pm 0.012 \text{ fm}^2$$

$$\langle r^2 \rangle_E^s = 0.002 \pm 0.015 \text{ fm}^2$$

Summary of data at $Q^2 = 0.1 \text{ GeV}^2$

Solid ellipse:

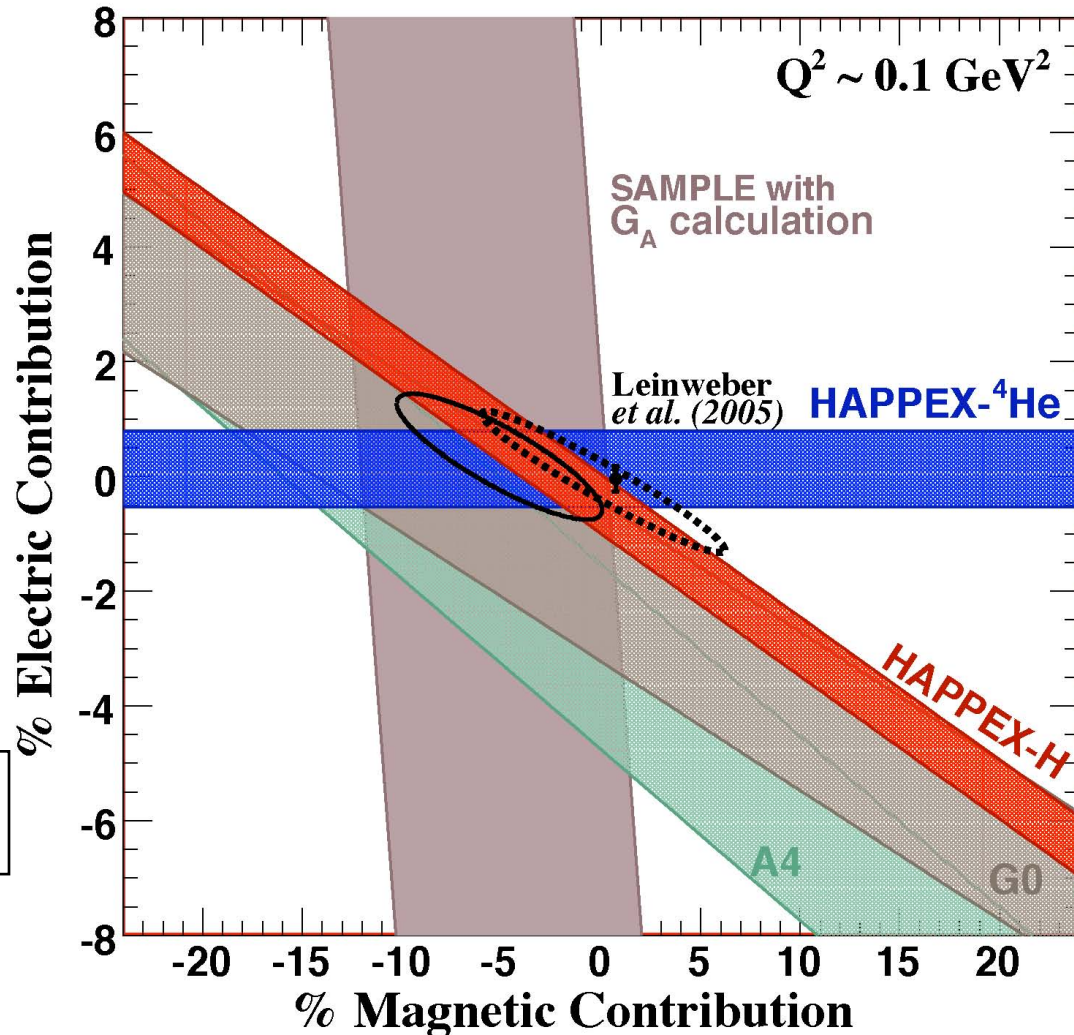
K. Paschke, priv. comm.
 [\approx J. Liu et al.
 PRC 76, 025202 (2007)]
 uses theoretical constraints
 on the axial form factor

Dashed ellipse:

R.D. Young et al.
 PRL 97 (2006) 102002,
 does not constrain G_A
 with theory

note: Placement of SAMPLE band
 on depends on choice for G_A

$$\% \text{ contrib} = \frac{G_{E,M}^s}{G_{E,M}^p} \times \left(-\frac{1}{3} \right) \times 100$$



Theoretical Refinements

1. Two Boson exchange: *eg.* H.Q. Zhou, C.W. Kao and S.N. Yang
Phys.Rev.Lett.99:262001 (2007); Phys.Rev.C **79**:062501 (2009)

γZ box dominates the two boson effects at HAPPEX, PVA4 kinematics

→ reduces extracted $G_E^s + \eta G_M^s$

(not yet put into global fits)

2. Charge-symmetry breaking effects:

Hydrogen: B. Kubis & R. Lewis Phys. Rev. C **74**:015204 (2006)

^4He : Viviani, Schiavilla, Kubis, Lewis, et al.

Phys.Rev.Lett. **99**:112002 (2007)

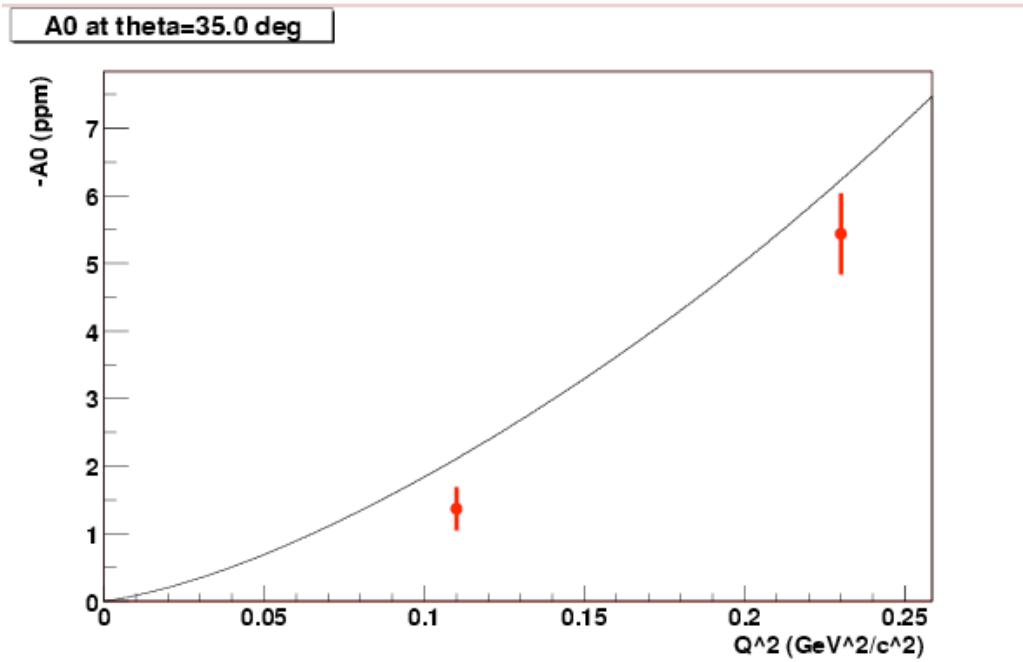
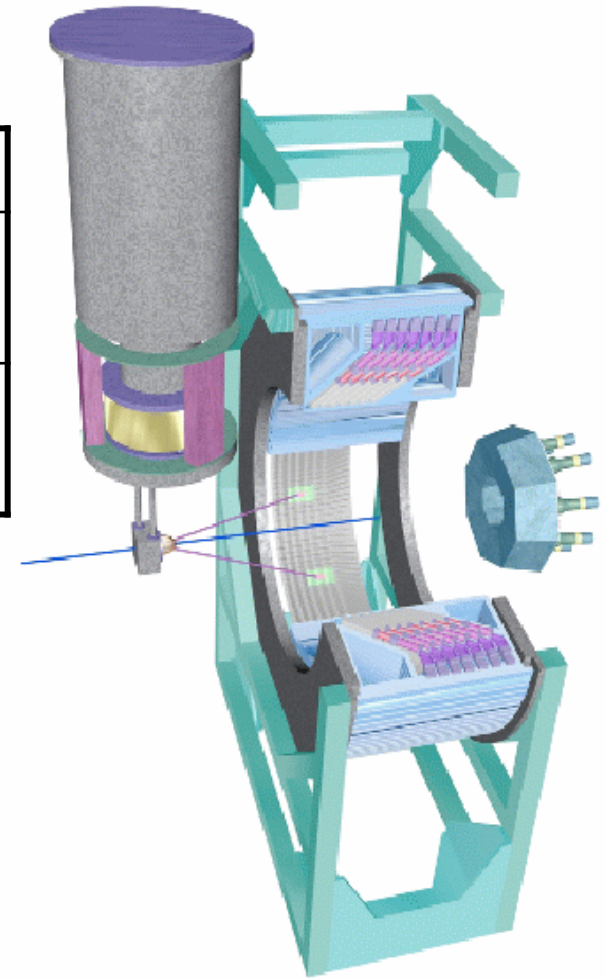
still only a (modest) fraction of smallest experimental statistical errors.

(not yet put into global fits)

PV-A4: Forward angle (MAMI)

Q^2 (GeV^2)	$A_{pV} \pm \text{stat} \pm \text{syst}$ (ppm)	$G_E^s + \eta G_M^s$
0.230	$-5.44 \pm 0.54 \pm 0.26$	$G_E^s + 0.225 G_M^s$ $= 0.039 \pm 0.034$
0.110	$-1.36 \pm 0.29 \pm 0.13$	$G_E^s + 0.106 G_M^s$ $= 0.071 \pm 0.036$

Counting - fast energy histograms



"Evidence for Strange Quark Contributions to the Nucleon's Form Factors at $Q^2 = 0.1 \text{ GeV}^2$ "
F. Maas et al. PRL 94, 152001 (2006)

PV-A4: Backward angle

$$\theta = 145^\circ \quad Q^2 = 0.22 \text{ (GeV/c)}^2$$

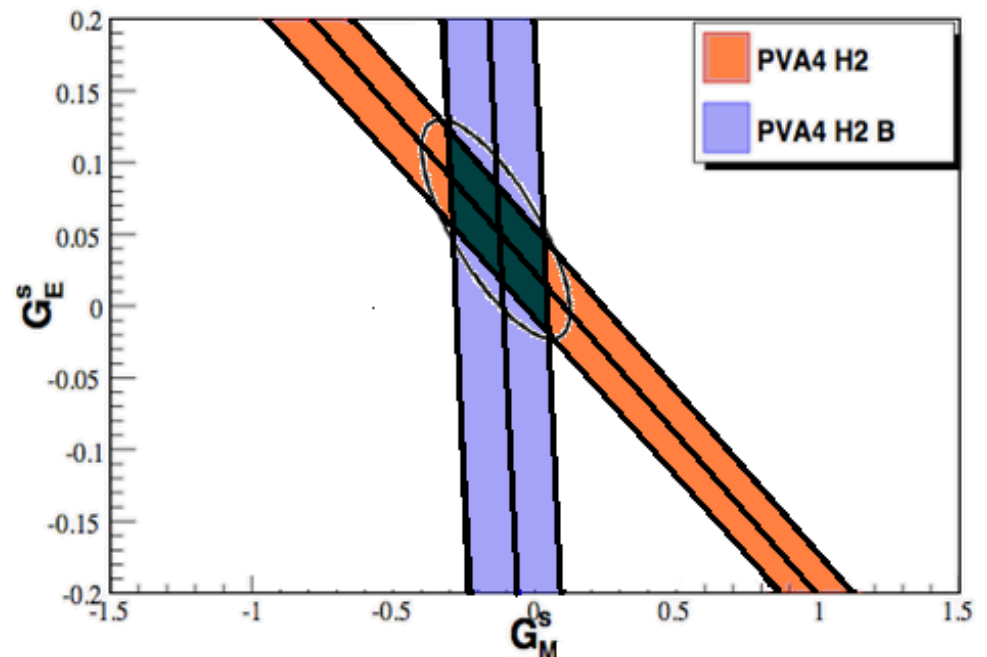
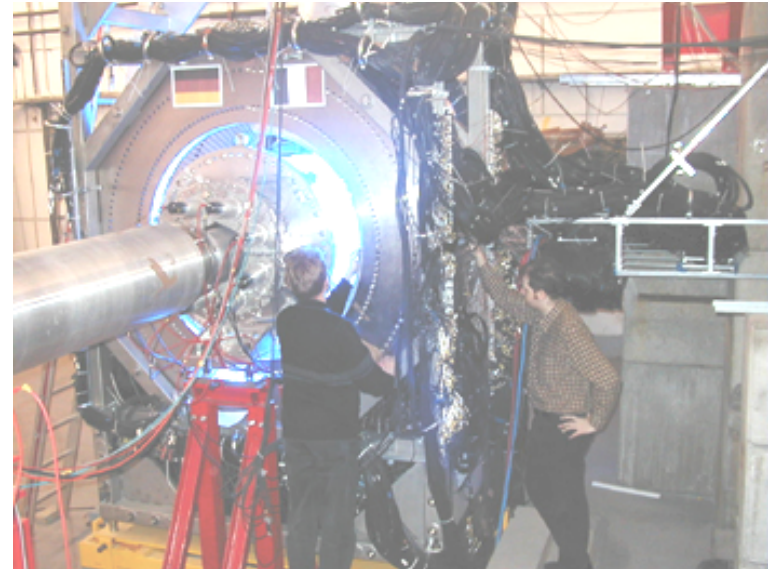
$$A_{\text{meas}} = -17.23 \pm 0.82 \pm 0.89 \text{ ppm}$$

$$G_E^s = 0.050 \pm 0.038 \pm 0.019$$
$$G_M^s = -0.14 \pm 0.11 \pm 0.11$$

(uses theoretical constraint of
Zhu et al., for the axial FF)

% contribution to proton:
electric: $3.0 \pm 2.5 \%$
magnetic: $2.9 \pm 3.2 \%$

S. Baunack et al., PRL 102 (2009) 151803



Deuterium results at same Q^2 - results expected soon....

G^0 (JLab – Hall C)

- Superconducting toroidal magnetic spectrometer

Forward angle mode:

LH₂: $E_e = 3.0 \text{ GeV}$

Recoil proton detection

↪ $0.12 \leq Q^2 \leq 1.0 \text{ (GeV/c)}^2$

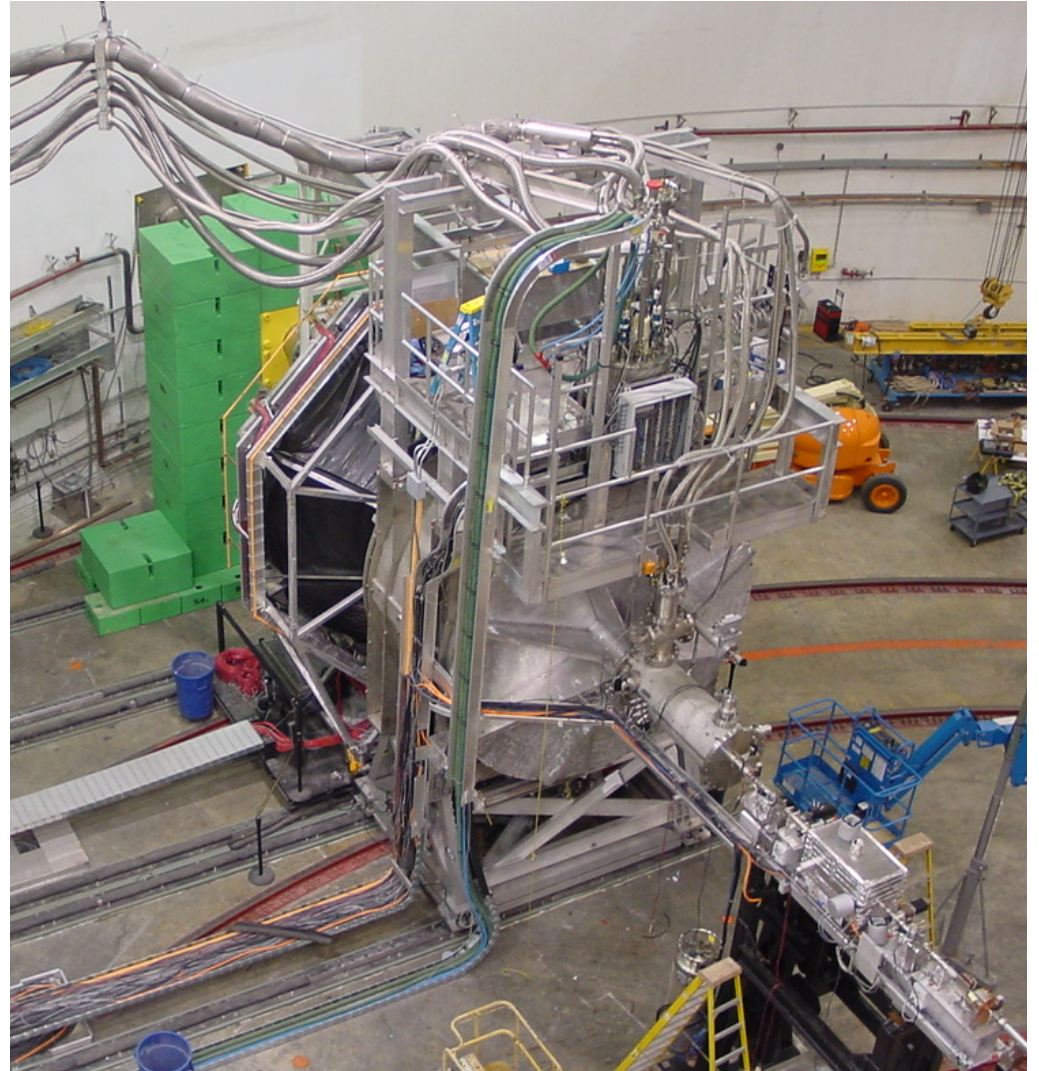
Backward angle mode:

$E_e = 362, 687 \text{ MeV}$

LH₂, LD₂ electron detection

(quasi)elastic at $\sim 108^\circ$

$Q^2 = 0.22 \text{ GeV}^2, 0.63 \text{ GeV}^2$



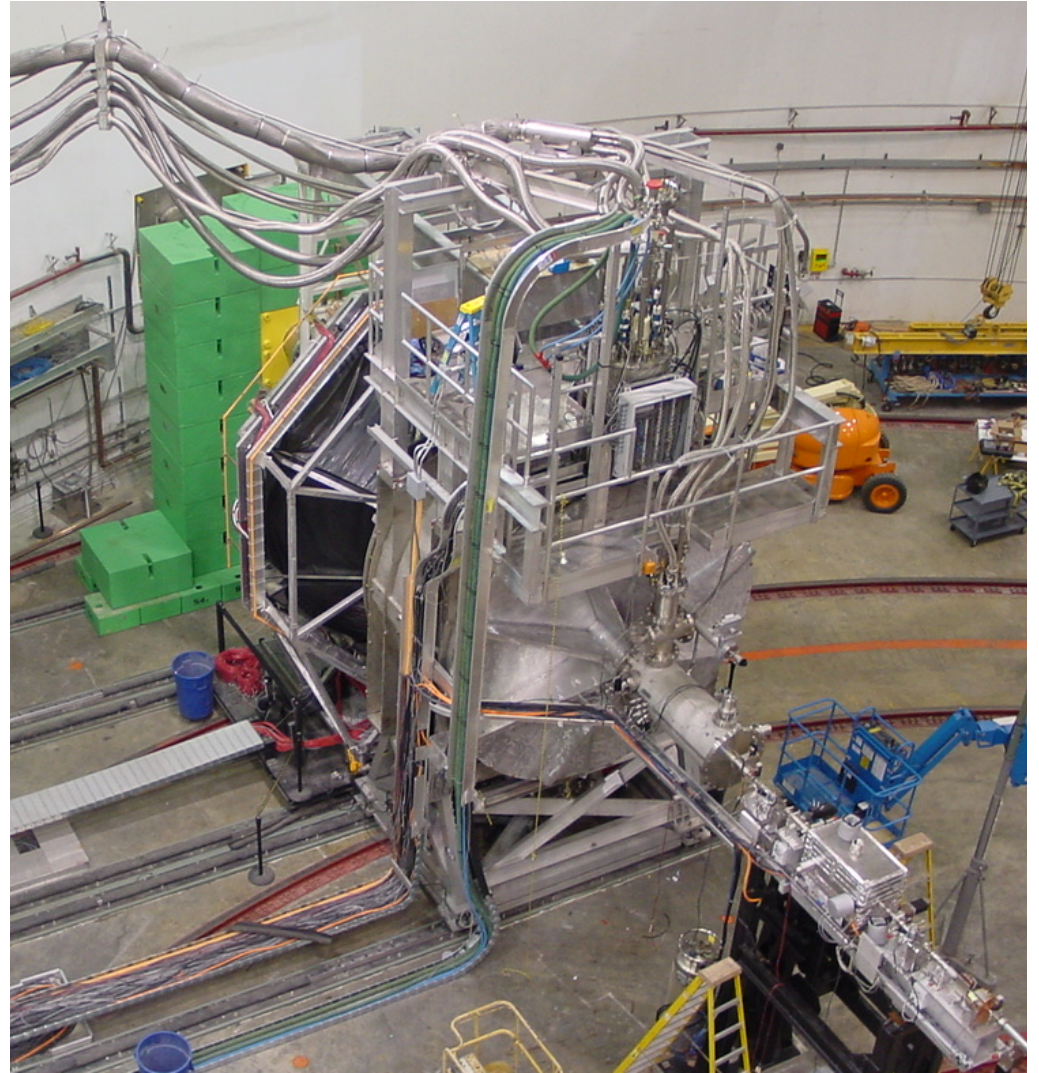
G^0 (JLab – Hall C)

Major Canadian Content:

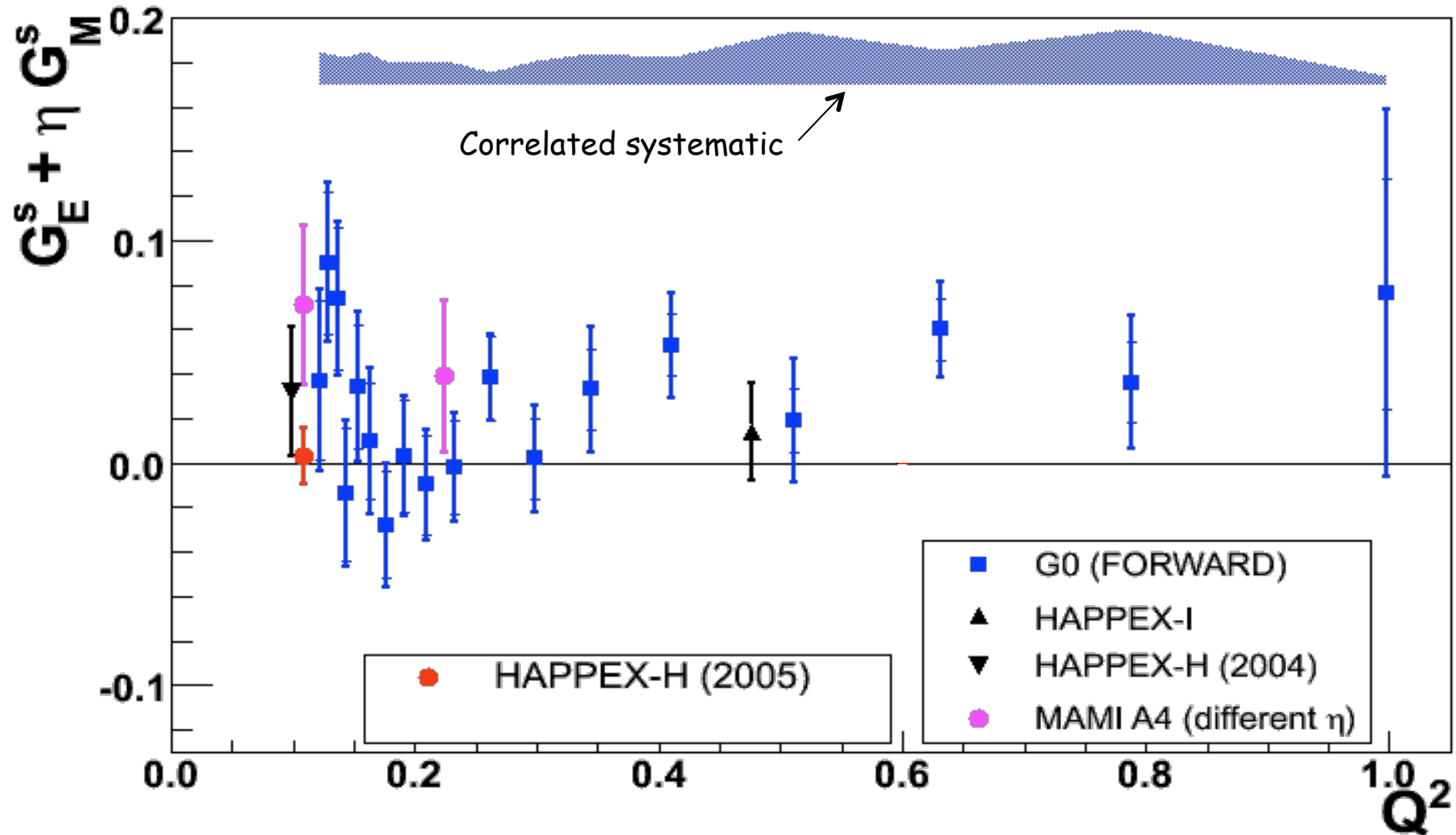
U. Manitoba, U, Winnipeg,
TRIUMF, UNBC

also several Canadians at
U.S. institutions eg.

D. Beck (spokesperson), B. Quinn,
D. Armstrong



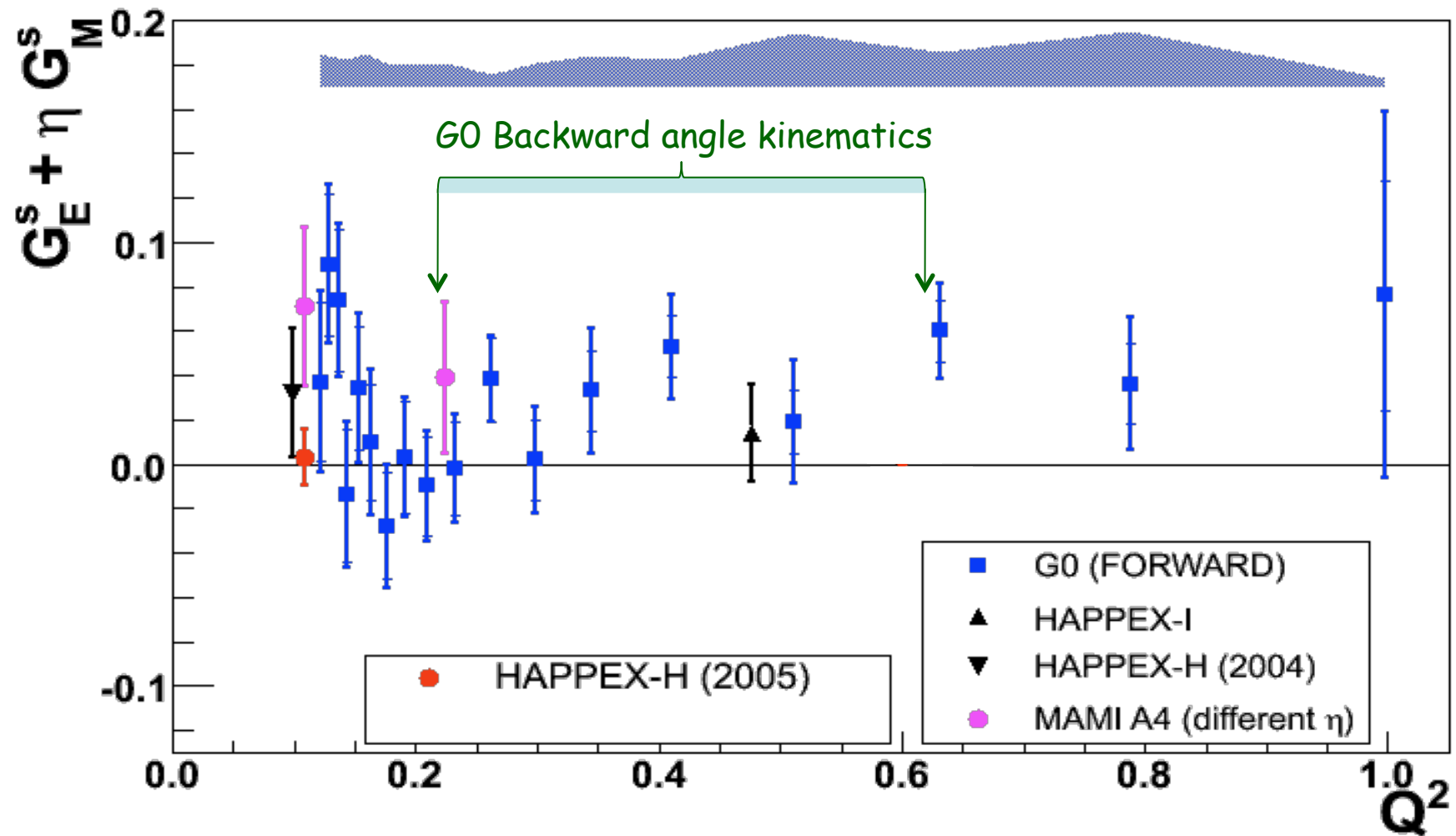
G0: Forward-angle results



$G_E^s = G_M^s = 0$ Hypothesis excluded at 89% C.L.

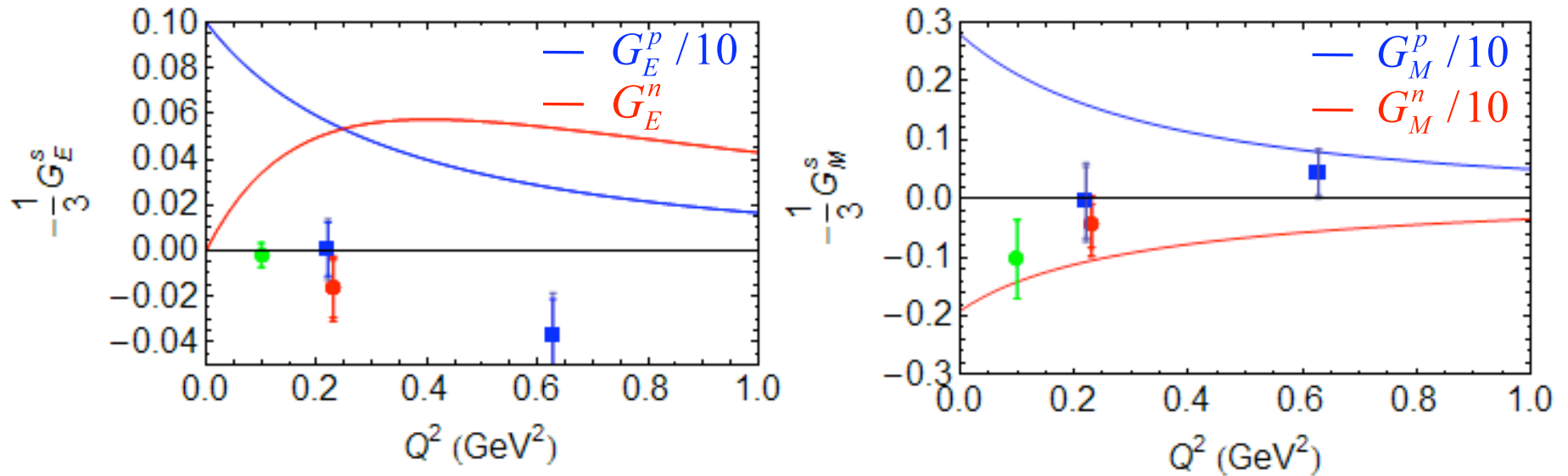
D.S. Armstrong *et al.*, PRL 95, 092001 (2005)

Forward Angle Results



G0 Backward Angle results

D. Androic *et al.* PRL 104(2010)012001

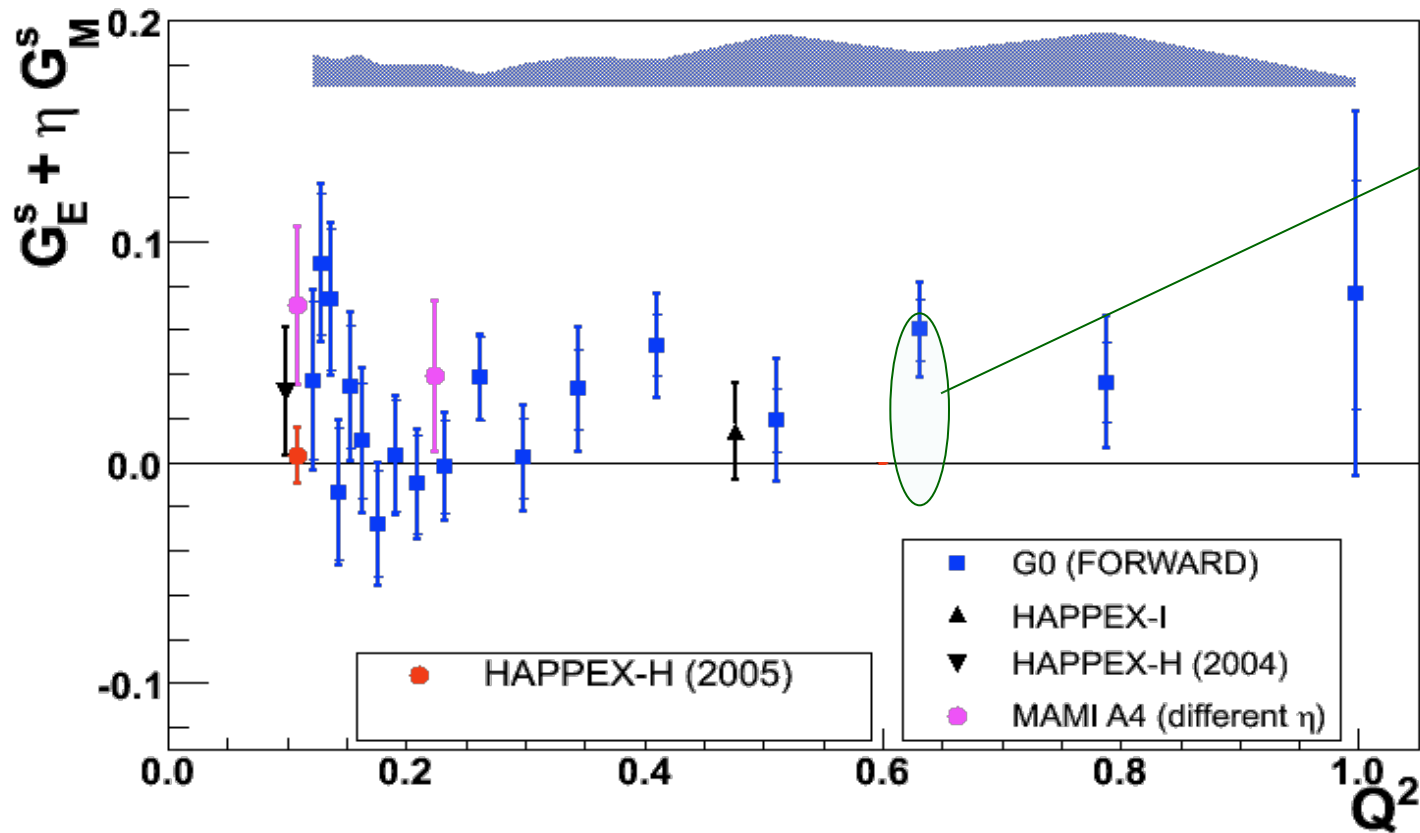


G0 , PVA4 , world data at 0.1

Strange form factors
contribute at most a few % to
overall vector form factors...
except maybe near $Q^2 = 0.6$...

HAPPEX-III

Data-taking 2009



**A higher precision repeat of HAPPEX-I, at somewhat higher Q^2
(0.624 GeV² - heart of the G0 "signal")**

- 100 μ A beam current, 89.6% polarization, 25 cm LH2 target

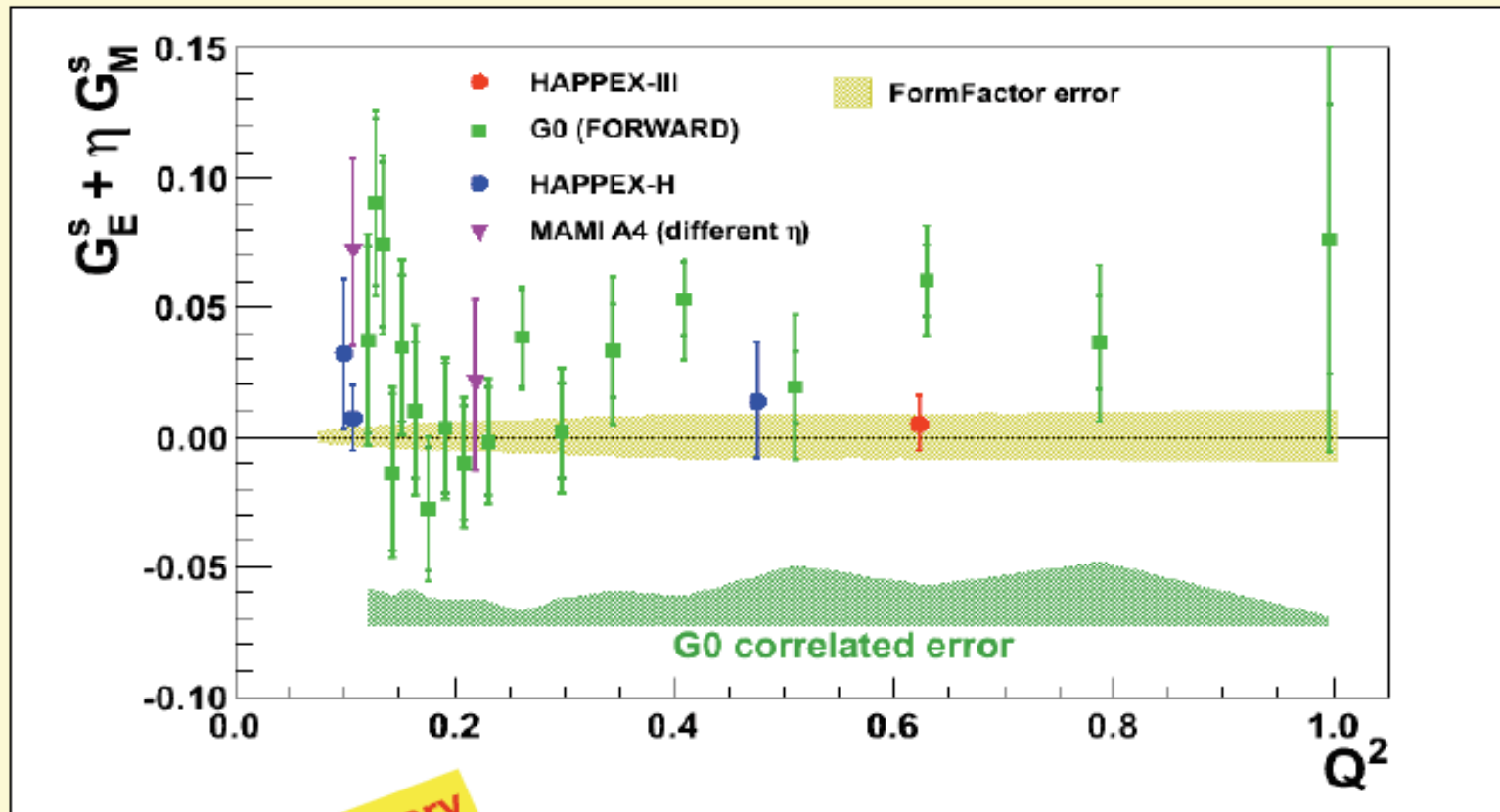
(c.f. 35 μ A at 70% polarization, 15 cm target for HAPPEX-I)

- Precision (0.8%) beam polarimetry with Moller and Compton polarimeters

HAPPEX-III Results

preliminary

$$A_{PV} = -23.742 \pm 0.776 \text{ (stat)} \pm 0.353 \text{ (syst) ppm}$$



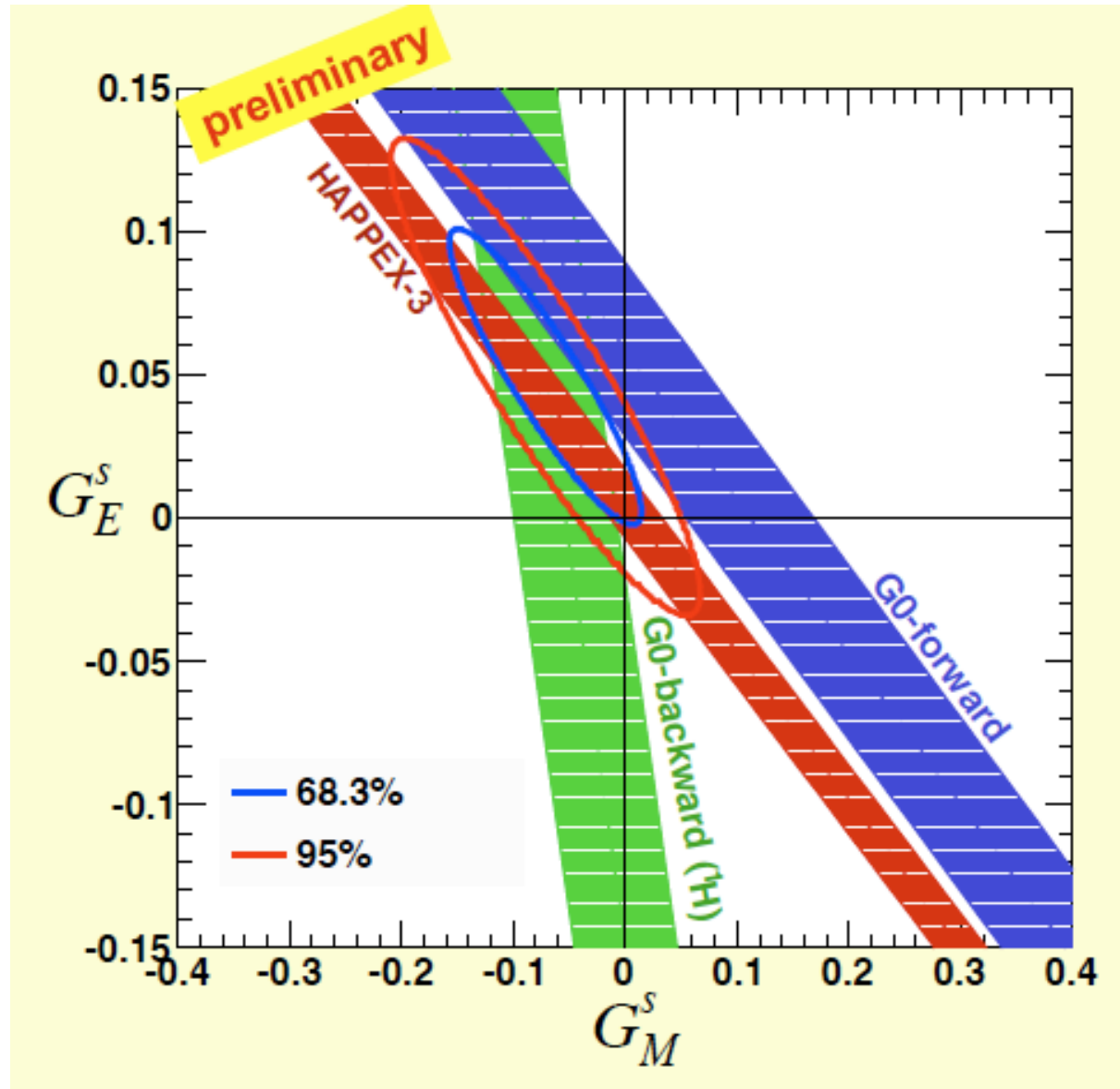
preliminary

$$A(G^s=0) = -24.158 \text{ ppm} \pm 0.663 \text{ ppm}$$

$$G_E^s + 0.52 G_M^s = 0.005 \pm 0.010_{\text{(stat)}} \pm 0.004_{\text{(syst)}} \pm 0.008_{\text{(FF)}}$$

Z. Ahmed et al., PRL 108(2012)102001.

Separated Form Factors at $Q^2=0.63$



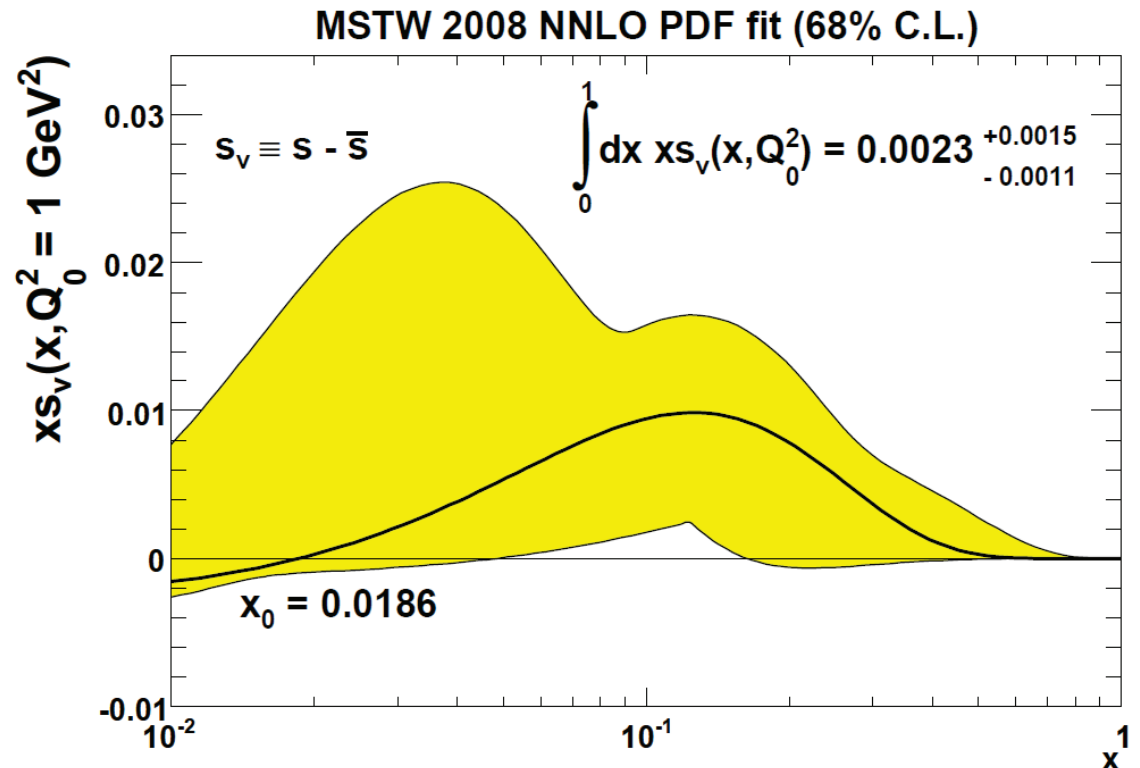
Z. Ahmed et al., PRL 108(2012)102001

Interpretation...

Suggestions from PDF fits of strange asymmetry →

Small G_E^s indicates no corresponding *spatial* asymmetry - the s and \bar{s} are produced with very similar spatial distributions

Small G_M^s indicates *either* that s \bar{s} are produced spin-aligned, *and/or* that their magnetizations are not random with respect to nucleon spin orientation



ATLAS has new results that further constrain strange asymmetry

Beyond Strangeness: Parity-Violating Electron Scattering as a Standard Model Test

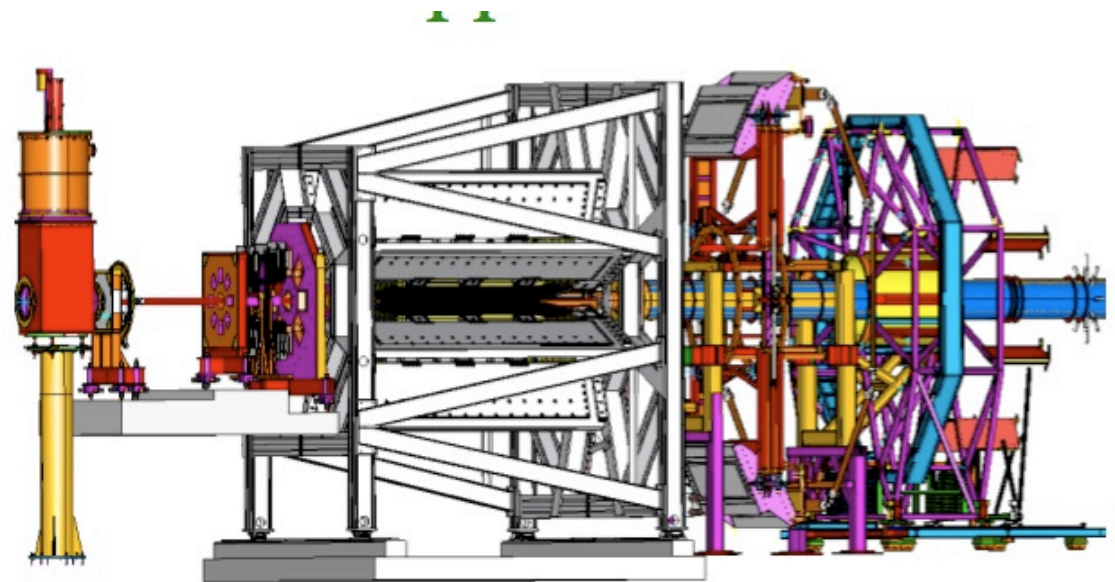
revisit History: SLAC E122 (Prescott, et al). first PV electron scattering experiment - seminal test of electroweak Standard Model

at low Q^2 & forward angles: $A_{PV} \propto \underline{Q_w^p} = (1 - 4 \sin^2 \theta_w)$

$\underline{Q_w^p}$: Weak charge of the proton -
precise Standard Model prediction, poorly
tested experimentally

Experiment at JLab;
just completed data-
taking (May 2012)

Strange form factors
crucial input
(extrapolation to $Q^2=0$)



Beyond Strangeness: Parity-Violating Electron Scattering as a Standard Model Test

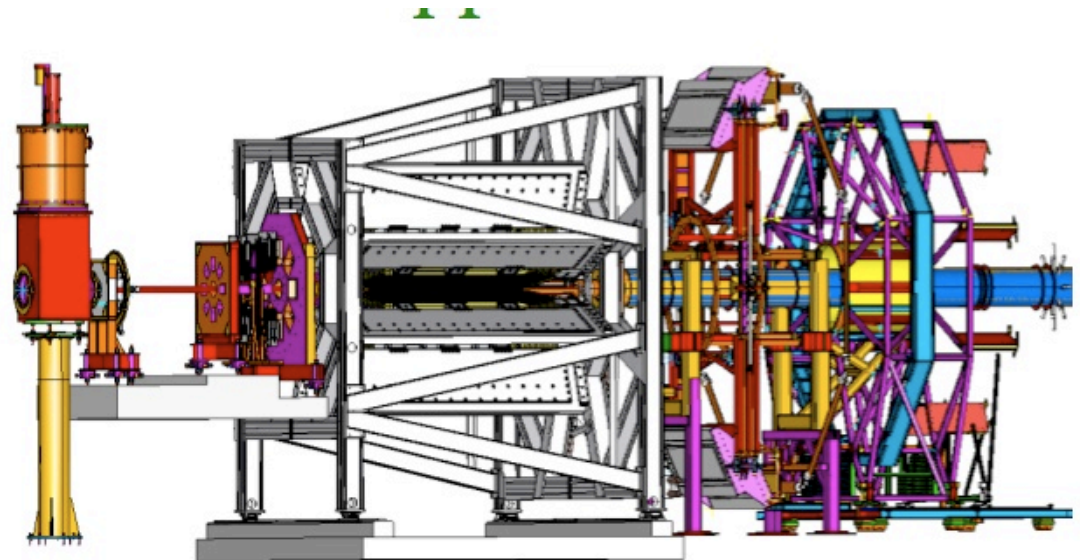
revisit History: SLAC E122 (Prescott, et al). first PV electron scattering experiment - seminal test of electroweak Standard Model

at low Q^2 & forward angles: $A_{PV} \propto \underline{Q_w^p} = (1 - 4 \sin^2\theta_w)$

Q_w^p : Weak charge of the proton -
precise Standard Model prediction, poorly
tested experimentally

Major Canadian Content:
U. Manitoba, U. Winnipeg,
TRIUMF, UNBC

Talks yesterday:
P. Wang, J. Pan, V. Tvaskis



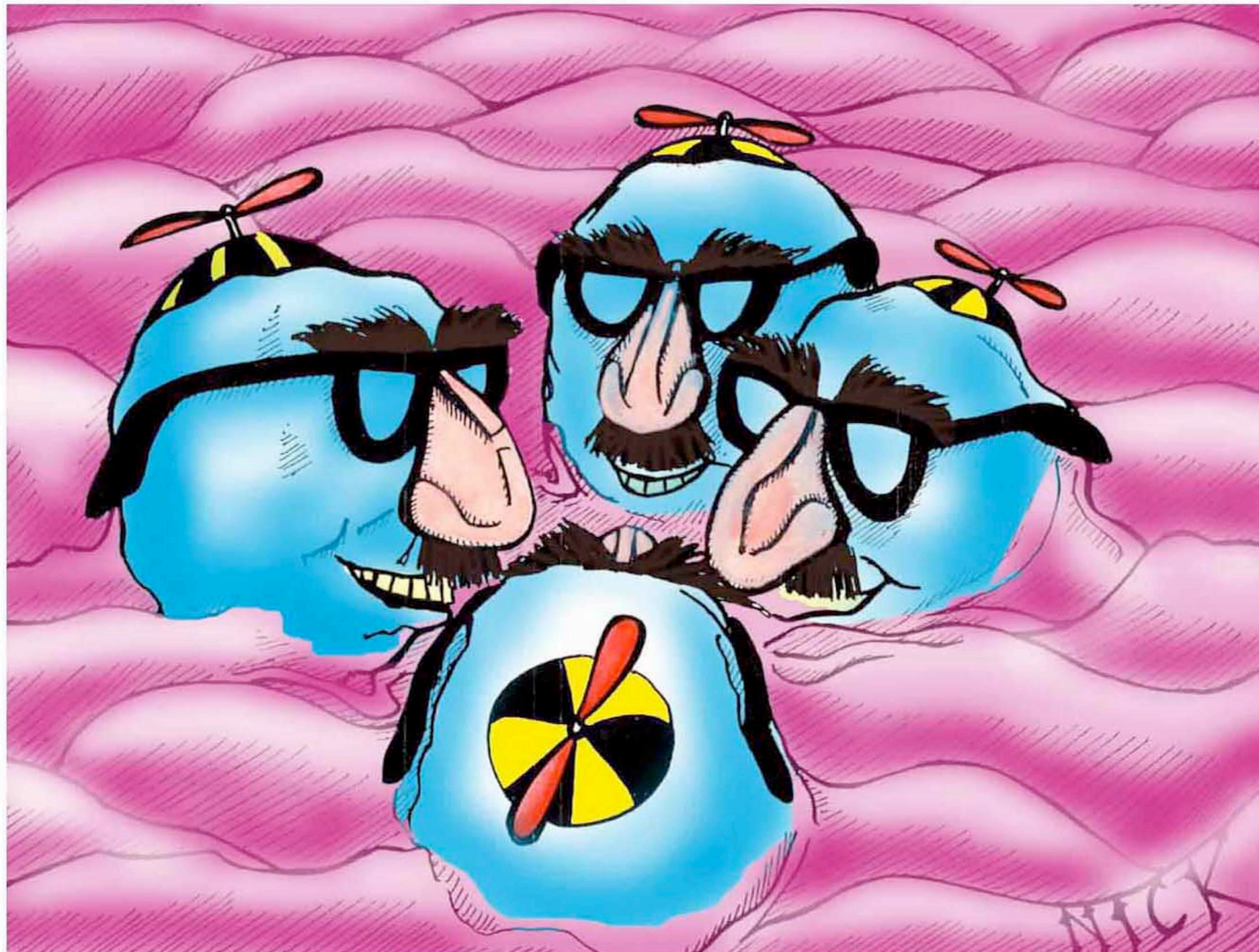
Summary

- Comparison of electromagnetic and weak neutral elastic form factors allows determination of strange quark contribution
 - large distance dynamics of the sea
- Separated form factors at three different Q^2
- G_E^s , G_M^s small, consistent with zero
- Important input for Standard Model test (QWeak)

- Next steps:
 - Mainz PVA4 results at $Q^2 = 0.63$ expected soon
(similar kinematics to HAPPEX-III)
 - global fits to all 36 asymmetries, including 2-boson & CSV effects, consistent electromagnetic form factors
 - no plans on pushing experimental effort further... lattice?

“Do not infest your mind with beating on the strangeness of this business” - W. Shakespeare (The Tempest)

Backup slides



At a resolution of 10^{-24} metres, isolated clumps of Strange Matter pop briefly out of the quantum foam to debate the possible existence of Particle Physicists.

Hadron
Physicists